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СТРУКТУР И ПРОЕКТИРОВАНИЯ
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СИММЕТРИИ КУБИЧЕСКИХ ГРАФОВ

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Фрухт [1] доказал, что для всякой конечной группы существует связный регулярный граф степени 3, группа автоморфизмов которого изоморфна данной. Позднее Сабидусси [2] показал, что среди регулярных графов, не имеющих инвариантных относительно автоморфизмов вершин, содержатся графы с данной конечной группой и заданными теоретико-графовыми свойствами. В связи с этим при исследовании алгоритмов удобно выделять классы регулярных графов, поскольку они и достаточно представительны, и значительно уже класса всех возможных графов.

В работе рассматриваются кубические (регулярные степени 3) графы с числом вершин $4 \leq p \leq 14$. При нумерации вершин графа используется понятие канонических матриц смежности [3]. Матрице смежности $A = (a_{ij})$, $i,j = 1, p$, ставится в соответствие p^2 -мерный вектор $(a_{11}, \dots, a_{1p}, \dots, a_{p1}, \dots, a_{pp})$, и на множестве матриц одинакового размера вводится отношение линейного порядка $(a_{ij}) = A < A' = (a'_{ij}) \Leftrightarrow (a_{11}, \dots, a_{1p}, \dots, a_{p1}, \dots, a_{pp}) < (a'_{11}, \dots, a'_{1p}, \dots, a'_{p1}, \dots, a'_{pp})$, где старшинство определяется лексикографически.

Пусть S_p - симметрическая группа матриц-подстановок порядка p , тогда матрица $\tilde{A} = \max_{g \in S_p} gAg^{-1}$ называется канонической.

Очевидно, что различные канонические матрицы соответствуют неизоморфным графикам.

Графы, так же как в [4], упорядочены по убыванию канонических матриц смежности. В приложении I приведены следующие их характеристики: планарность, гамильтоновость, порядок и структура орбит группы автоморфизмов. В [4] для графов с $p = 8, 10, 12$ дополн-

нительно вычислены плотность, неплотность, реберная связность, хроматическое число и хроматический класс. Установлено соответствие между исследуемыми графами и графами, диаграммы которых для $4 \leq p \leq 10$ приведены в [5], а для $p = 12$ - в [6]. Установлено соответствие исследуемых графов графикам из [7], где для $4 \leq p \leq 14$ вычислены коэффициенты характеристического полинома, собственные значения, количество циклов различной длины, диаметр, связность, планарность, порядок группы автоморфизмов, и для $p \leq 12$ построены диаграммы графов. Графы в [7] упорядочены лексикографически по убыванию собственных значений, но такое упорядочение несколько неудобно, поскольку встречаются неизоморфные графы с одинаковыми спектрами. Для нахождения орбит и распознавания изоморфизма применялись алгоритмы [3,8]. В приложении 2 даны диаграммы графов.

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7 января 1982 года

Характеристики графов

В первой колонке стоит порядковый номер графа, во второй - номер того же графа в [7], в третьей - номер графа в [5] для $p = 4, 6, 8, 10$ и номер графа в [6] для $p = 12$. Остальные колонки: Pl - планарность. Нм - гамильтоновость (знак "+" - означает наличие свойства, знак "-" - отсутствие), Г - порядок группы автоморфизмов, "Орбиты" - список нетривиальных орбит группы автоморфизмов.

I	2	3	Pl	Нм	Г	О р б и т ы
$p = 4$						
I	I	I	+	+	24	(I, 2, 3, 4)
$p = 6$						
I	I	I	+	+	I2	(I, 2, 3, 4, 5, 6)
2	2	2	-	+	I2	(I, 2, 3, 4, 5, 6)
$p = 8$						
I	I	4	+	+	I6	(I, 2, 7, 8) (3, 4, 5, 6)
2	2	3	+	+	4	(I, 2, 7, 8) (3, 6) (4, 5)
3	3	5	-	+	I2	(I, 2, 3) (4, 5, 6) (7, 8)
4	4	I	+	+	48	(I, 2, 3, 4, 5, 6, 7, 8)
5	5	I2	-	+	I6	(I, 2, 3, 4, 5, 6, 7, 8)
$p = 10$						
I	I	I8	+	-	32	(I, 2, 9, I0) (3, 4, 7, 8) (5, 6)
2	2	I	+	+	I6	(I, 2, 9, I0) (3, 4, 7, 8) (5, 6)
3	3	3	+	+	4	(I, 2) (3, 4) (5, 6) (8, 9)
4	4	2	+	+	8	(I, 2) (3, 4) (5, 6) (7, 8, 9, I0)
5	5	5	-	+	I6	(I, 2) (3, 4) (5, 6) (7, 8, 9, I0)
6	6	7	+	+	2	(I, I0) (2, 9) (3, 8) (4, 7) (5, 6)
7	7	6	+	+	4	(I, 2, 9, I0) (3, 6) (4, 5, 7, 8)
8	8	I0	-	+	4	(I, 2) (4, 5) (7, 8) (9, I0)
9	II	8	-	+	8	(I, 2, 9, I0) (3, 6) (4, 5, 7, 8)
I0	9	9	-	+	I2	(I, 2, 3, 8, 9, I0) (4, 5, 6)
II	I2	I2	+	+	6	(I, 2, 3) (4, 5, 6) (7, 8, 9)
I2	I3	4	+	+	6	(I, 7, 8) (2, 3, 5, 6, 9, I0)
I3	I4	II	-	+	2	(2, 3) (5, 6) (7, 8) (9, I0)
I4	I0	I6	-	+	48	(I, 4, 5, 6, 9, I0) (2, 3, 7, 8)

I	2	3	P1	Hm	Γ	Орбиты
I5	I5	I4	+	+	20	(I,2,3,4,5,6,7,8,9,I0)
I6	I7	I5	-	+	4	(I,2) (3,4,5,6) (7,8,9,I0)
I7	I6	I3	-	+	20	(I,2,3,4,5,6,7,8,9,I0)
I8	I8	I7	-	+	8	(I,5,9,I0) (2,3,6,7) (4,8)
I9	I9	I9	-	+	I20	(I,2,3,4,5,6,7,8,9,I0)
$P = I2$						
I	I	3I	+	-	I6	(I,2) (3,4) (7,8) (9,I0) II,I2)
2	2	30	+	-	8	(I,2) (3,4) (7,8) (I0,II)
3	3	32	+	-	I6	(I,2) (3,4) (7,8) (9,I0,II,I2)
4	4	84	-	-	32	(I,2) (3,4) (7,8) (9,I0,II,I2)
5	5	26	+	+	I6	(I,2,II,I2) (3,4,9,I0) (5,6,7,8)
6	6	25	+	+	4	(I,2) (3,4) (5,6) (7,8) (I0,II)
7	7	24	+	+	8	(I,2) (3,4) (5,6) (7,8) (9,I0,II,I2)
8	8	56	-	+	I6	(I,2) (3,4) (5,6) (7,8) (9,I0,II,I2)
9	9	23	+	+	32	(I,2,II,I2) (3,4,9,I0) (5,6,7,8)
I0	I0	I8	+	+	8	(I,2,II,I2) (3,I0) (4,9) (5,8)
II	I7	22	+	+	4	(I,2) (3,4) (5,6) (8,9) (II,I2)
I2	I8	20	+	+	2	(I,2)
I3	I9	58	-	+	8	(I,2) (3,4) (5,6) (8,9) (II,I2)
I4	20	I7	+	+	2	(I,2)
I5	22	I5	+	+	48	(I,2,7,8,9,I0) (3,4,5,6,II,I2)
I6	23	I6	+	+	8	(I,2) (3,4) (5,6) (7,8,9,I0) (II,I2)
I7	27	72	-	+	8	(I,2) (7,8) (9,I0) (II,I2)
I8	21	65	-	+	4	(I,2) (9,I0) (II,I2)
I9	25	I9	+	+	8	(I,2) (3,4) (5,6) (7,8,9,I0) (II,I2)
20	24	2I	+	+	8	(I,2) (3,4) (5,6) (7,8,9,I0) (II,I2)
2I	26	68	-	+	8	(I,2) (3,4) (5,6) (7,8,9,I0) (II,I2)
22	28	69	-	+	4	(I,2) (3,4) (5,6) (7,9) (8,I0) (II,I2)
23	II	29	+	+	4	(I,I2) (2,3,I0,II) (4,9) (5,6,7,8)
24	I2	28	+	+	4	(2,3) (5,6) (7,8) (9,I0,II,I2)
25	I3	64	-	+	8	(2,3) (5,6) (7,8) (9,I0,II,I2)
26	I4	27	+	+	I6	(I,2,4,5,8,9,II,I2) (3,6,7,I0)
27	I5	70	-	+	I6	(I,2,4,5) (3,7) (6,I0) (8,9,II,I2)
28	29	7	+	+	2	(I,I2) (2,II) (3,I0) (4,9) (5,8) (6,7)
29	30	5	+	+	2	(I,I2) (2,II) (3,9) (4,I0) (5,8)
30	3I	2	+	+	I	

I	2	3	P1	Hm	Γ	0 р б и т ы
3I	32	47	-	+	2	(II,I2)
32	33	I	+	+	4	(I,2,9,I0) (3,6) (4,5,II,I2) (7,8)
33	34	53	-	+	4	(I,2) (4,5) (7,8) (9,I0) (II,I2)
34	37	46	-	+	2	(9,I0) (II,I2)
35	36	48	-	+	2	(I,2) (4,5) (7,8) (II,I2)
36	38	4	+	+	2	(I,2) (4,5) (7,8) (9,I0)
37	39	6	+	+	2	(I,2) (4,5) (7,8) (9,I0) (II,I2)
38	40	45	-	+	2	(I,2) (4,5) (7,8) (9,I0) (II,I2)
39	42	3	+	+	I	
40	43	44	-	+	I	
4I	44	73	-	+	4	(I,2) (4,5) (7,8) (9,I0) (II,I2)
42	45	7I	-	+	8	(I,2) (4,5) (7,8) (9,I0) (II,I2)
43	4I	66	-	+	I2	(I,2,3) (4,5,6) (8,9,I0) (II,I2)
44	46	II	+	+	I2	(I,2,3,I0,II,I2) (4,5,6,7,8,9)
45	50	49	-	+	2	(I,I2) (2,9) (3,II) (4,I0) (6,8)
46	5I	9	+	+	4	(I,I2) (2,3,9,I0) (4,II) (5,6) (7,8)
47	53	10	+	+	2	(2,3) (5,6) (7,8) (9,I0) (II,I2)
48	54	80	-	+	2	(2,3) (5,6) (7,8) (9,I0) (II,I2)
49	55	63	-	+	2	(2,3) (5,6) (7,8) (9,I0) (II,I2)
50	48	60	-	+	4	(I,4) (2,7) (3,8) (6,I2) (I0,II)
5I	57	40	-	+	I	
52	56	6I	-	+	4	(I,2,8,9) (3,I2) (4,5) (6,II)
53	52	43	-	+	2	(I,I2) (2,II) (3,9) (4,8) (5,6) (7,I0)
54	59	79	-	+	2	(I,2) (4,5) (8,9)
55	6I	38	-	+	2	(I,2) (4,5) (8,9) (I0,II)
56	58	52	-	+	2	(I,I0) (2,II) (3,6) (4,8) (5,I2) (7,9)
57	62	37	-	+	I	
58	60	8	+	+	4	(I,2,I0,II) (3,6) (4,5,8,9) (7,I2)
59	63	I2	+	+	24	(I,2,3,4,5,6,7,8,9,I0,II,I2)
60	64	62	-	+	4	(I,4) (2,3,7,8) (5,6,9,II) (I0,I2)
6I	69	59	-	+	4	(2,3) (5,6) (7,8) (9,I0,II,I2)
62	65	83	-	+	36	(I,2,3,7,8,9,I0,II,I2) (4,5,6)
63	74	85	-	-	I2	(I,2,3) (4,5,6) (7,8,9,I0,II,I2)
64	I6	55	-	+	64	(I,2,3,5,9,I0,II,I2) (4,6,7,8)
65	35	57	-	+	I6	(I,5,8,I0) (2,3,II,I2) (4,7) (6,9)
66	47	8I	-	+	I2	(I,5,6) (2,3) (4,9,I0) (7,8,I2)

I	2	3	P1	Hm	Γ	0 р б и т н
67	49	67	-	+	4	(2,3) (5,6) (7,8) (9,I0) (II,I2)
68	70	I4	+	+	8	(I,2,II,I2) (3,4,5,6,7,8,9,I0)
69	71	39	-	+	4	(I,2) (3,4,5,6) (7,8,9,I0) (II,I2)
70	75	35	-	+	2	(3,4) (5,6) (7,8) (9,I0) (II,I2)
71	66	I3	+	+	24	(I,2,3,4,5,6,7,8,9,I0,II,I2)
72	67	5I	-	+	24	(I,2,3,4,5,6,7,8,9,I0,II,I2)
73	68	54	-	+	4	(I,2,3,5) (4,6,7,9) (8,I0,II,I2)
74	73	4I	-	+	8	(I,2,II,I2) (3,4,5,6,7,8,9,I0)
75	76	34	-	+	2	(I,2) (3,6) (4,5) (7,I0) (8,9) (II,I2)
76	72	76	-	+	I6	(I,2,3,5,9,I0,II,I2) (4,6,7,8)
77	77	42	-	+	2	(I,II) (2,I2) (3,7) (4,9) (5,I0) (6,8)
78	78	50	-	+	8	(I,5,I0,II) (2,3,6,7) (4,8,9,I2)
79	79	82	-	+	2	(I,II) (2,9) (3,I2) (4,6) (5,I0)
80	80	36	-	+	4	(I,9) (2,3,II,I2) (5,I0) (6,7)
81	82	33	-	+	8	(I,2,3,5) (4,6,7,I0) (8,9,II,I2)
82	83	74	-	+	4	(I,2,3,5) (4,6,7,I0) (8,I2) (9,II)
83	8I	78	-	+	48	(I,2,3,4,5,6,7,8,9,I0,II,I2)
84	84	75	-	+	I6	(I,2,II,I2) (3,4,5,6,7,8,9,I0)
85	85	77	-	+	I8	(I,2,3,5,8,9,I0,II,I2) (4,6,7)

I	2	P1	Hm	Γ	0 р б и т н
					$p = I4$
I	I	+	-	64	(I,2,I3,I4) (3,4,II,I2) (5,I0) (6,9) (7,8)
2	6	+	-	I6	(I,2) (3,4) (7,8) (9,I0) (II,I2) (I3,I4)
3	7	+	-	8	(I,2) (3,4) (7,8) (9,I0) (I2,I3)
4	9	+	-	I6	(I,2) (3,4) (7,8) (9,I0) (II,I2,I3,I4)
5	I0	-	-	32	(I,2) (3,4) (7,8) (9,I0) (II,I2,I3,I4)
6	I6	+	-	32	(I,2) (3,4) (7,8) (9,I0) (II,I2) (I3,I4)
7	I7	+	-	8	(I,2) (3,4) (I3,I4)
8	I8	+	-	8	(I,2) (3,4) (7,8) (I0,II) (I3,I4)
9	I9	+	-	4	(I,2) (3,4)
I0	20	-	-	I6	(I,2) (3,4) (7,8) (I0,II) (I3,I4)
II	2I	+	-	4	(I,2) (3,4)
I2	23	+	-	32	(I,2) (3,4) (7,8) (9,I0,II,I2) (I3,I4)
I3	24	+	-	I6	(I,2) (3,4) (7,8) (9,I0,II,I2) (I3,I4)
I4	28	-	-	I6	(I,2) (3,4) (9,I0) (II,I2) (I3,I4)

I	2	P1	Hm	P	С р б и т н
15	22	-	-	-8	(I,2) (3,4) (II,12) (I3,I4)
16	26	+	-	16	(I,2) (3,4) (7,8) (9,I0,II,I2) (I3,I4)
17	25	+	-	16	(I,2) (3,4) (7,8) (9,I0,II,I2) (I3,I4)
18	27	-	-	16	(I,2) (3,4) (7,8) (9,I0,II,I2) (I3,I4)
19	28	-	-	8	(I,2) (3,4) (7,8) (9,II) (I0,I2) (I3,I4)
20	2	+	-	32	(I,2,I3,I4) (3,4,II,I2) (5,6,9,I0) (7,8)
21	3	+	-	8	(I,2) (3,4) (5,6) (9,I0) (I2,I3)
22	4	+	-	16	(I,2) (3,4) (5,6) (9,I0) (II,I2,I3,I4)
23	5	-	-	32	(I,2) (3,4) (5,6) (9,I0) (II,I2,I3,I4)
24	30	+	+	16	(I,2,I3,I4) (3,4,II,I2) (5,6,9,I0) (7,8)
25	31	+	+	4	(I,2) (3,4) (5,6) (7,8) (9,I0) (I2,I3)
26	32	+	+	8	(I,2) (3,4) (5,6) (7,8) (9,I0) (II,I2,I3,I4)
27	33	-	+	16	(I,2) (3,4) (5,6) (7,8) (9,I0) (II,I2,I3,I4)
28	34	+	+	16	(I,2) (3,4) (5,6) (7,8) (9,I0) (II,12) (I3,I4)
29	35	+	+	4	(I,2) (I3,I4)
30	43	+	+	4	(I,2) (3,4) (5,6) (7,8) (I0,II) (I3,I4)
31	44	+	+	2	(I,2)
32	45	-	+	8	(I,2) (3,4) (5,6) (7,8) (I0,II) (I3,I4)
33	48	+	+	2	(I,2)
34	50	+	+	16	(I,2) (3,4) (5,6) (7,8) (9,I0,II,I2) (I3,I4)
35	51	+	+	8	(I,2) (3,4) (5,6) (7,8) (9,I0,II,I2) (I3,I4)
36	55	-	+	8	(I,2) (9,I0) (II,I2) (I3,I4)
37	49	-	+	4	(I,2) (II,I2) (I3,I4)
38	53	+	+	8	(I,2) (3,4) (5,6) (7,8) (9,I0,II,I2) (I3,I4)
39	52	+	+	8	(I,2) (3,4) (5,6) (7,8) (9,I0,II,I2) (I3,I4)
40	54	-	+	8	(I,2) (3,4) (5,6) (7,8) (9,I0,II,I2) (I3,I4)
41	56	-	+	4	(I,2) (3,4) (5,6) (7,8) (9,II) (I0,I2) (I3,I4)
42	42	+	+	8	(I,2) (3,4) (5,6) (7,8) (9,I0) (I2,I3)
43	46	+	+	16	(I,2) (3,4) (5,6) (7,8) (9,I0) (II,I2,I3,I4)
44	47	-	+	32	(I,2) (3,4) (5,6) (7,8) (9,I0) (II,I2,I3,I4)
45	57	+	+	2	(I,2)
46	58	+	+	4	(I,2) (II,I2) (I3,I4)
47	59	-	+	8	(I,2) (II,I2) (I3,I4)
48	60	+	+	8	(I,2,I3,I4) (3,I2) (4,II) (5,I0) (6,9) (7,8)
49	62	+	+	8	(I,2) (3,4) (5,6) (8,9) (I2,I3)
50	84	+	+	2	(I,2)

I	2	P1	Hm	Γ	0 р б и т н
51	89	+	+	4	(I,2) (3,4) (5,6) (8,9) (II,I2) (I3,I4)
52	101	-	+	8	(I,2) (3,4) (5,6) (8,9) (II,I2) (I3,I4)
53	61	+	+	16	(I,2,I3,I4) (3,4,II,I2) (5,6,8,9) (7,I0)
54	106	+	+	2	(I,2)
55	76	+	+	4	(I,2) (I2,I3)
56	107	+	+	2	(I,2)
57	109	-	+	4	(I,2) (I2,I3)
58	108	+	+	2	(I,2)
59	112	-	+	8	(I,2) (3,4) (5,6) (8,9) (II,I2) (I3,I4)
60	III	-	+	4	(I,2) (3,4) (5,6) (8,9) (I2,I3)
61	II3	+	+	4	(I,2) (3,4) (5,6) (8,9) (I2,I3)
62	II4	+	+	2	(I,2)
63	II5	-	+	2	(I,2)
64	II6	-	+	4	(I,2) (II,I2) (I3,I4)
65	II7	+	+	4	(I,2) (3,4) (5,6) (8,9) (II,I3) (I2,I4)
66	II8	-	+	4	(I,2) (3,4) (5,6) (8,9) (II,I3) (I2,I4)
67	66	+	+	16	(I,2,I3,I4) (3,4,II,I2) (5,6,8,I0) (7,9)
68	II9	+	+	2	(I,2)
69	I20	+	+	2	(I,2)
70	I21	+	+	2	(I,2)
71	I23	-	+	4	(I,2) (I3,I4)
72	90	+	+	16	(I,2,7,8) (3,5) (4,II) (6,I4) (9,I0,I2,I3)
73	91	-	+	32	(I,2,7,8) (3,5) (4,II) (6,I4) (9,I0,I2,I3)
74	77	+	+	8	(I,2,7,8) (3,5) (4,II) (6,I3) (I0,I4)
75	I28	+	+	4	(I,2) (3,4) (5,6) (7,9) (8,I0) (I2,I3)
76	I31	+	+	8	(I,2) (3,4) (5,6) (7,8,9,I0) (II,I2,I3,I4)
77	I32	-	+	16	(I,2) (3,4) (5,6) (7,8,9,I0) (II,I2,I3,I4)
78	I37	-	+	4	(I,2) (7,8) (II,I2) (I3,I4)
79	I30	-	+	4	(I,2) (9,I0) (I3,I4)
80	I39	+	+	4	(I,2) (7,8) (9,I0) (II,I2)
81	I40	+	+	4	(I,2) (7,8) (9,I0) (II,I2) (I3,I4)
82	I41	-	+	4	(I,2) (7,8) (9,I0) (II,I2) (I3,I4)
83	I38	+	+	2	(I,2)
84	I45	-	+	2	(I,2)
85	I52	-	+	8	(I,2) (7,8) (9,I0) (II,I2) (I3,I4)
86	67	-	+	16	(I,2,I3,I4) (3,4,II,I2) (5,6,8,I0) (7,9)

I	2	Pl	Hm	Г	0 р б и т ы
87	I22	-	+	2	(I,2)
88	92	-	+	16	(I,2,II,I2) (3,8) (4,I4) (6,I3) (9,I0)
89	I24	-	+	4	(I,2) (9,I0) (II,I2) (I3,I4)
90	I25	-	+	8	(I,2) (9,I0) (II,I2) (I3,I4)
91	I27	+	+	4	(I,2) (7,8) (9,I0) (I2,I3)
92	I26	+	+	4	(I,2) (3,4) (5,6) (7,9) (8,I0) (I2,I3)
93	I29	-	+	4	(I,2) (3,4) (5,6) (7,I0) (8,9) (II,I3)
94	I33	+	+	8	(I,2) (3,4) (5,6) (7,8,9,I0) (II,I2,I3,I4)
95	I35	-	+	8	(I,2) (3,4) (5,6) (7,8,9,I0) (II,I2,I3,I4)
96	I34	-	+	8	(I,2) (3,4) (5,6) (7,8,9,I0) (II,I2,I3,I4)
97	II0	+	+	8	(I,2,I3,I4) (3,I2) (4,I0) (5,8) (7,II)
98	I44	-	+	2	(I,2)
99	I36	-	+	2	(I,2)
I00	I46	+	+	4	(I,2) (3,4) (5,6) (7,9) (8,I0) (II,I3)
I01	I53	+	+	2	(I,2)
I02	I55	-	+	2	(I,2)
I03	I48	+	+	4	(I,2) (3,4) (5,6) (7,9) (8,I0) (II,I3) (I2,I4)
I04	I50	-	+	4	(I,2) (3,4) (5,6) (7,9) (8,I0) (II,I3) (I2,I4)
I05	I43	-	+	8	(I,2) (3,4) (5,6) (7,9) (8,I0) (I2,I3)
I06	I42	+	+	2	(I,2)
I07	I47	-	+	4	(I,2) (3,4) (5,6) (7,9) (8,I0) (II,I2)
I08	I51	-	+	4	(I,2) (3,4) (5,6) (7,9) (8,I0) (II,I2) (I3,I4)
I09	I49	-	+	4	(I,2) (3,4) (5,6) (7,9) (8,I0) (II,I2) (I3,I4)
II0	I54	-	+	2	(I,2)
III	I56	-	+	2	(I,2)
II2	I57	-	+	4	(I,2) (3,4) (5,6) (7,9) (8,I0) (II,I4) (I2,I3)
II3	I58	-	+	4	(I,2) (7,8)
II4	I64	-	+	32	(I,2) (3,4) (5,6) (7,8,9,I0) (II,I2,I3,I4)
II5	I59	-	+	2	(I,2)
II6	I60	-	+	4	(I,2) (7,8) (I2,I3)
II7	I61	-	+	2	(I,2)
II8	I63	+	+	4	(I,2) (3,4) (5,6) (7,I0) (8,9) (II,I4) (I2,I3)
II9	I66	-	+	8	(I,2) (3,4) (5,6) (7,8,9,I0) (II,I4) (I2,I3)
I20	I62	+	-	96	(I,2,II,I2,I3,I4) (3,4,7,8,9,I0) (5,6)
I21	I67	-	+	16	(I,2) (3,4) (5,6) (7,8,9,I0) (II,I2,I3,I4)
I22	I65	-	+	8	(I,2) (7,8) (9,I0) (II,I2,I3,I4)
I23	I68	-	-	I6	(I,2) (3,4) (5,6) (7,8,9,I0) (II,I2,I3,I4)

I	2	P1	Hm	Г	О р б и т ы
I24	8	+	-	8	(I,I4) (2,3,I2,I3) (4,II) (5,6,9,I0) (7,8)
I25	II	+	-	8	(2,3) (5,6) (9,I0) (II,I2,I3,I4)
I26	I2	-	-	I6	(2,3) (5,6) (9,I0) (II,I2,I3,I4)
I27	36	+	+	4	(I,I4) (2,3,I2,I3) (4,II) (5,6,9,I0) (7,8)
I28	37	+	+	4	(2,3) (5,6) (7,8) (9,I0) (II,I2,I3,I4)
I29	38	-	+	8	(2,3) (5,6) (7,8) (9,I0) (II,I2,I3,I4)
I30	63	+	+	2	(2,3) (5,6) (7,8) (I0,II) (I3,I4)
I31	64	+	+	I	
I32	65	-	+	4	(2,3) (5,6) (7,8) (I0,II) (I3,I4)
I33	74	+	+	I	
I34	78	+	+	4	(2,3) (5,6) (7,8) (9,I0,II,I2) (I3,I4)
I35	82	-	+	4	(9,I0) (II,I2) (I3,I4)
I36	75	-	+	2	(II,I2) (I3,I4)
I37	80	+	+	4	(2,3) (5,6) (7,8) (9,I0,II,I2) (I3,I4)
I38	79	+	+	4	(2,3) (5,6) (7,8) (9,I0,II,I2) (I3,I4)
I39	8I	-	+	4	(2,3) (5,6) (7,8) (9,I0,II,I2) (I3,I4)
I40	83	-	+	2	(2,3) (5,6) (7,8) (9,II) (I0,I2) (I3,I4)
I41	I3	+	-	32	(I,2,4,5,II,I2,I3,I4) (3,7,9,I0) (6,8)
I42	I4	-	-	32	(I,2,4,5) (3,7) (9,I0) (II,I2,I3,I4)
I43	39	+	+	I6	(I,2,4,5,II,I2,I3,I4) (3,7,9,I0) (6,8)
I44	40	-	+	I6	(I,2,4,5) (3,7) (6,8) (9,I0) (II,I2,I3,I4)
I45	85	+	+	2	(I,2) (4,5)
I46	93	+	+	8	(I,2,4,5) (3,7) (6,I0) (8,9,I3,I4) (II,I2)
I47	I02	-	+	8	(I,2) (4,5) (8,9) (II,I2) (I3,I4)
I48	70	+	+	2	(I,2) (4,5)
I49	68	+	+	4	(I,2,4,5) (3,7) (6,I0) (9,I2) (I3,I4)
I50	72	-	+	8	(I,2,4,5) (3,7) (6,I0) (9,I4) (I2,I3)
I51	87	-	+	4	(I,2) (4,5) (8,9) (I2,I3)
I52	95	+	+	8	(I,2,4,5) (3,7) (6,I0) (8,9,I2,I3) (II,I4)
I53	I04	-	+	4	(I,2,4,5) (3,7) (6,I0) (8,I2) (9,I4) (II,I3)
I54	96	+	+	8	(I,2,4,5) (3,7) (6,I0) (8,9,II,I3) (I2,I4)
I55	97	-	+	8	(I,2,4,5) (3,7) (6,I0) (8,9,II,I3) (I2,I4)
I56	69	-	+	8	(I,2) (4,5) (7,8) (9,I0) (II,I2,I3,I4)
I57	7I	-	+	4	(II,I2) (I3,I4)
I58	86	-	+	4	(I0,II) (I3,I4)
I59	I69	+	+	2	(I,I4) (2,I3) (3,I2) (4,II) (5,I0) (6,9) (7,8)
I60	I70	+	+	I	

I	2	P1	Hm	Г	о р б и т ы
I61	I72	+	+	I	
I62	I73	-	+	2	(I3,I4)
I63	I71	+	+	2	(I,I4) (2,I3) (3,II) (4,I2) (5,9) (6,8) (7,IO)
I64	I77	-	+	2	(I2,I3)
I65	I74	+	+	I	
I66	I75	+	+	2	(I,I4) (2,I2) (3,I3) (4,II) (5,8) (6,IO) (7,9)
I67	I76	+	+	2	(I,I4) (2,I2) (3,I3) (4,II) (5,8) (6,9) (7,IO)
I68	I81	+	+	I	
I69	I82	-	+	2	(II,I2)
I70	I84	-	+	2	(II,I2) (I3,I4)
I71	I83	-	+	I	
I72	I89	+	+	I	
I73	I90	+	+	I	
I74	I91	-	+	I	
I75	I92	+	+	I	
I76	I96	-	+	I	
I77	I88	-	+	2	(II,I2) (I3,I4)
I78	I95	+	+	I	
I79	I97	-	+	I	
I80	I99	-	+	2	(II,I2) (I3,I4)
I81	I78	+	+	2	(I,I4) (2,I3) (3,II) (4,I2) (5,IO) (6,8) (7,9)
I82	I79	-	+	2	(I3,I4)
I83	94	-	+	I6	(I,2,7,8) (3,II) (4,5) (6,I4) (9,IO,I2,I3)
I84	205	+	+	I	
I85	I85	+	+	4	(I,2,9,IO) (3,6) (4,5,I3,I4) (7,8,II,I2)
I86	214	-	+	4	(I,2) (4,5) (7,8) (9,IO) (II,I2) (I3,I4)
I87	I93	-	+	2	(I,2) (4,5) (7,8) (II,I2) (I3,I4)
I88	201	-	+	2	(9,IO) (I3,I4)
I89	202	+	+	2	(I,2) (4,5) (7,8) (9,IO) (II,I2)
I90	203	+	+	2	(I,2) (4,5) (7,8) (9,IO) (II,I2) (I3,I4)
I91	204	-	+	2	(I,2) (4,5) (7,8) (9,IO) (II,I2) (I3,I4)
I92	210	-	+	I	
I93	I86	-	+	4	(I,2) (4,5) (7,8) (9,IO) (II,I2) (I3,I4)
I94	209	-	+	2	(I,I4) (2,I2) (3,I3) (4,II) (5,8) (6,IO) (7,9)
I95	222	-	+	2	(9,IO) (II,I2) (I3,I4)
I96	223	-	+	4	(9,IO) (II,I2) (I3,I4)
I97	I94	-	+	2	(I,I4) (2,I3) (3,I2) (4,II) (5,IO) (6,8)

I	2	P1	Hm	Г	О р б и т ы
I98	I98	-	+	4	(I,2,I3,I4) (3,I0) (4,5,II,I2) (7,8)
I99	207	-	+	4	(I,2) (4,5) (7,8) (II,I2) (I3,I4)
200	218	+	+	2	(I,2) (4,5) (7,8) (9,I0) (I2,I3)
201	22I	+	+	I	
202	224	-	+	I	
203	235	+	+	2	(I,2) (4,5) (7,8) (9,I0) (II,I2)
204	245	+	+	2	(I,2) (4,5) (7,8) (9,I0) (II,I2) (I3,I4)
205	246	-	+	2	(I,2) (4,5) (7,8) (9,I0) (II,I2) (I3,I4)
206	247	-	+	2	(I,2) (4,5) (7,8) (9,I0) (II,I2) (I3,I4)
207	2I7	+	+	2	(I,I4) (2,I2) (3,I3) (4,II) (5,8) (6,I0)
208	234	-	+	I	
209	229	-	+	I	
2I0	256	+	+	I	
2I1	243	+	+	I	
2I2	258	-	+	I	
2I3	227	+	+	I	
2I4	259	-	+	I	
2I5	233	-	+	2	(I2,I3)
2I6	244	-	+	2	(I2,I3)
2I7	232	+	+	2	(I,I4) (2,I2) (3,I0) (4,I3) (5,8) (7,II)
2I8	238	+	+	I	
2I9	27I	-	+	I	
220	273	-	+	I	
22I	269	-	+	I	
222	255	-	+	I	
223	266	-	+	I	
224	275	-	+	I	
225	279	-	+	I	
226	278	-	+	I	
227	277	-	+	I	
228	282	-	+	I	
229	283	-	+	I	
230	284	+	+	I	
23I	236	-	+	8	(I,2,9,I0) (4,5,I3,I4) (7,8,II,I2)
232	237	-	+	8	(I,2) (4,5) (7,8) (9,I0) (II,I2)(I3,I4)
233	268	-	+	2	(I,2) (4,5) (7,8) (I2,I3)
234	288	+	+	2	(I,2) (4,5) (7,8) (9,I0) (I2,I3)

I	2	P1	Нп	Г	О р б и т ы
235	267	+	+	2	(1,9) (2,I0) (3,6) (4,I2) (5,I4) (8,I3)
236	289	-	+	I	
237	272	-	+	I	
238	28I	-	+	2	(1,2) (4,5) (7,8) (I2,I3)
239	280	-	+	I	
240	29I	-	+	I	
241	270	-	+	2	(9,I0)
242	290	-	+	2	(1,2) (4,5) (7,8) (9,I0) (I2,I3)
243	294	-	+	2	(9,I0) (II,I2) (I3,I4)
244	295	+	+	2	(1,2) (4,5) (7,8) (9,I0) (II,I3) (I2,I4)
245	296	-	+	2	(1,2) (4,5) (7,8) (9,I0) (II,I3) (I2,I4)
246	298	-	+	I	
247	302	-	+	4	(1,2) (4,5) (7,8) (9,I0) (II,I2,I3,I4)
248	299	-	+	2	(9,I0) (I3,I4)
249	300	-	+	4	(1,2) (4,5) (7,8) (9,I0) (II,I2,I3,I4)
250	30I	-	+	4	(1,2) (4,5) (7,8) (9,I0) (II,I2,I3,I4)
251	303	-	-	4	(1,2) (4,5) (7,8) (9,I0) (II,I2,I3,I4)
252	88	-	+	8	(1,2) (4,5) (II,I2) (I3,I4)
253	206	-	+	4	(1,2) (4,5) (I3,I4)
254	103	-	+	I6	(1,2) (4,5) (7,8) (9,I0) (I2,I3)
255	253	-	+	2	(1,2) (4,5)
256	257	-	+	I6	(1,2,9,I0) (3,6) (4,5,I3,I4) (7,8,II,I2)
257	228	-	+	4	(1,2) (4,5) (7,8) (II,I2) (I3,I4)
258	240	-	+	8	(1,2,I3,I4) (3,I2) (4,5,9,I0) (6,8) (7,II)
259	242	-	+	4	(1,2) (4,5) (7,8) (9,I0) (II,I2)
260	248	-	+	4	(1,2) (4,5) (7,8) (9,I0) (II,I2) (I3,I4)
261	249	-	+	4	(1,2) (4,5) (7,8) (9,I0) (II,I2) (I3,I4)
262	254	-	+	2	(1,2) (4,5)
263	216	-	+	8	(1,2) (4,5) (7,8) (9,I0) (II,I2) (I3,I4)
264	200	-	+	4	(1,2) (4,5) (8,9) (II,I2) (I3,I4)
265	219	-	+	I2	(1,2,3,I2,I3,I4) (4,5,6,8,9,I0) (7,II)
266	225	-	+	6	(1,2,3) (4,5,6) (8,9,I0) (II,I2,I3)
267	230	-	+	2	(2,3) (5,6) (9,I0) (II,I2) (I3,I4)
268	23I	-	+	2	(2,3) (5,6) (9,I0) (II,I2) (I3,I4)
269	226	-	+	I2	(1,2,3) (4,5,6) (7,8,9) (I0,II,I2) (I3,I4)
270	99	-	+	I6	(1,4) (2,3,7,8) (5,6) (9,I0) (II,I2,I3,I4)

I	2	P1	Hm	Γ	0 р б и т н
271	213	-	+	2	(I3,I4)
272	252	-	+	2	(I2,I3)
273	274	-	+	4	(2,3) (5,6) (7,8) (9,I0) (I2,I3)
274	307	+	+	2	(I,I3) (2,I4) (3,I2) (4,I0) (5,II) (6,8) (7,9)
275	310	-	+	I	
276	322	+	+	2	(2,3) (5,6) (7,8) (9,I0) (II,I2)
277	323	+	+	2	(2,3) (5,6) (7,8) (9,I0) (II,I2) (I3,I4)
278	324	-	+	2	(2,3) (5,6) (7,8) (9,I0) (II,I2) (I3,I4)
279	331	-	+	2	(2,3) (5,6) (7,8) (9,I0) (II,I2) (I3,I4)
280	312	-	+	2	(I,14) (2,I3) (3,I0) (4,I2) (5,II) (7,9)
281	3II	-	+	2	(I,I4) (2,I3) (3,I2) (4,I0) (5,9) (6,8) (7,II)
282	325	+	+	2	(2,3) (5,6) (7,8) (9,I0) (II,I2)
283	327	-	+	2	(2,3) (5,6) (7,8) (9,I0) (II,I2) (I3,I4)
284	313	+	+	2	(I,I4) (2,I3) (3,I0) (4,I2) (5,9) (7,II)
285	332	-	+	I	
286	326	-	+	2	(2,3) (5,6) (7,8) (9,I0) (II,I2)
287	329	-	+	2	(2,3) (5,6) (7,8) (9,I0) (II,I2) (I3,I4)
288	328	-	+	2	(2,3) (5,6) (7,8) (9,I0) (II,I2) (I3,I4)
289	32I	-	+	I	
290	334	-	+	I	
291	338	-	+	2	(2,3) (5,6) (7,8) (9,I0) (II,I2) (I3,I4)
292	2II	-	+	4	(I,4) (2,7) (3,8) (6,I0) (II,I4) (I2,I3)
293	263	+	+	4	(I,4,II,I4) (2,7,I0,I3) (3,6,8,I2) (5,9)
294	260	+	+	2	(I,I3) (2,I0) (3,9) (4,I4) (5,6) (7,II) (8,I2)
295	26I	-	+	I	
296	250	+	+	2	(I,4) (2,7) (3,8) (6,I2) (I0,I3)
297	264	-	+	2	(I,4) (2,7) (3,8) (6,I2) (I0,I3) (II,I4)
298	34I	-	+	2	(I,2) (4,5) (8,9) (I2,I3)
299	340	-	+	I	
300	292	-	+	2	(I3,I4)
30I	320	-	+	4	(I,2,I2,I3) (3,I4) (4,5,8,9) (6,I0) (7,II)
302	344	-	+	I	
303	348	-	+	I	
304	336	-	+	I	
305	333	-	+	I	
306	342	-	+	I	
307	346	-	+	I	

I	2	P1	Hm	Γ	0 р б и т ы
308	293	-	+	4	(I,2) (4,5) (8,9) (I2,I3)
309	368	-	+	2	(I,2) (4,5) (8,9)
310	335	-	+	4	(I,2,I3,I4) (3,II) (4,5,8,9) (7,I2)
311	353	-	+	I	
312	343	-	+	I	
313	330	-	+	4	(I,2,I3,I4) (3,I2) (4,5,I0,II) (6,7) (8,9)
314	339	-	+	2	(I,I3) (2,I2) (3,I4) (4,9) (5,7) (6,II)
315	345	-	+	I	
316	351	-	+	I	
317	350	-	+	I	
318	352	-	+	I	
319	306	-	+	2	(I0,II)
320	314	-	+	8	(I,2,8,9) (3,I3) (4,5) (6,I4) (I0,II)
321	381	-	+	I	
322	370	-	+	4	(I,2,I0,II) (3,6) (4,5,I3,I4) (7,I2) (8,9)
323	384	-	+	2	(I,2) (4,5) (8,9) (I0,II) (I3,I4)
324	383	-	+	I	
325	337	-	+	2	(I,I3) (2,I2) (3,I4) (4,9) (5,7) (6,II) (8,I0)
326	386	-	+	I	
327	347	-	+	2	(I,I4) (2,9) (3,I3) (4,I2) (6,II) (8,I0)
328	395	-	+	2	(I0,II) (I3,I4)
329	376	-	+	I	
330	367	+	+	2	(I,I3) (2,II) (3,9) (4,I4) (5,6) (7,I0) (8,I2)
331	372	+	+	I	
332	349	+	+	2	(I,I4) (2,9) (3,I3) (4,I2) (6,II)
333	377	-	+	I	
334	366	-	+	2	(I,2) (4,5) (8,9)
335	387	-	+	I	
336	390	-	+	2	(I,2) (4,5) (8,9) (I3,I4)
337	398	-	+	I	
338	412	-	+	2	(I,2) (4,5) (8,9) (I0,II)
339	407	-	+	I	
340	396	-	+	I	
341	416	+	+	6	(I,2,8,9,I3,I4) (3,I0,II) (4,5,I2)
342	417	-	+	2	(I,2) (4,5) (8,9) (I0,II) (I3,I4)
343	401	-	+	2	(I,I0) (2,II) (3,6) (4,8) (5,I4) (7,I3) (9,I2)
344	375	-	+	I	

I	2	Pl	Hm	Г	0 р б и т ы
345	399	-	+	I	
346	391	+	+	2	(I,I0) (2,II) (3,6) (4,8) (5,I4) (7,I3)
347	369	-	+	2	(I,I0) (2,I3) (3,8) (4,6) (5,I4) (7,II)
348	385	-	+	I	
349	408	-	+	I	
350	397	-	+	I	
351	374	-	+	I	
352	409	-	+	I	
353	402	-	+	2	(I,I4) (2,I2) (3,II) (4,9) (5,7) (8,I3)
354	419	-	+	I	
355	418	-	+	I	
356	309	-	+	4	(I,2) (4,5) (8,9) (I0,II) (I3,I4)
357	373	-	+	I	
358	382	-	+	I	
359	422	-	+	2	(I,2) (4,5) (8,9)
360	421	-	+	4	(I,2) (4,5) (8,9) (I0,II) (I3,I4)
361	367	+	+	4	(I,4) (2,3,7,8) (5,6,9,II) (I0,I2,I3,I4)
362	358	-	+	4	(I,4) (2,3,7,8) (5,6,9,II) (I0,I2,I3,I4)
363	359	-	+	4	(I,4) (2,3,7,8) (5,6,9,II) (I0,I2,I3,I4)
364	315	-	+	I2	(I,2,4,5,7,9) (3,8,I0) (6,I3,I4) (II,I2)
365	403	-	+	2	(I,4) (2,7) (3,8) (5,9) (6,I3) (I0,II) (I2,I4)
366	414	-	+	I	
367	400	-	+	8	(I,3,4,6,8,I2,I3,I4) (2,7,I0,II) (5,9)
368	392	-	+	2	(I,4) (2,7) (3,8) (5,9) (6,I3) (I0,II)
369	425	-	+	2	(I,4) (2,7) (3,8) (5,9) (6,I3) (I0,I4) (II,I2)
370	458	-	+	I2	(I,2,3) (4,5,6) (7,8,9,I0,II,I2) (I3,I4)
371	459	-	+	8	(I,4) (2,3,7,8) (5,6,I3,I4) (9,I0,II,I2)
372	460	-	-	8	(I,4) (2,3,7,8) (5,6,I3,I4) (9,I0,II,I2)
373	316	-	+	4	(I,2) (4,5) (7,9) (8,I0) (II,I2) (I3,I4)
374	276	-	+	8	(2,3) (5,6) (7,8) (9,I0,II,I2) (I3,I4)
375	437	-	+	4	(2,3) (5,6) (7,8) (9,I0,II,I2) (I3,I4)
376	428	-	+	I	
377	431	-	+	I	
378	445	-	+	I	
379	430	-	+	I	
380	438	-	+	4	(2,3) (5,6) (7,8) (9,I0,II,I2) (I3,I4)
381	439	-	+	4	(2,3) (5,6) (7,8) (9,I0,II,I2) (I3,I4)

I	2	F1	Hm	Г	О р б и т ь
382	440	-	+	4	(2,3) (5,6) (7,8) (9,I0,II,I2) (I3,I4)
383	432	-	+	4	(I,2,8,I0) (3,I3) (4,5) (6,I4) (7,9) (II,I2)
384	434	-	+	2	(I,2) (4,5) (7,9) (8,I0) (II,I2) (I3,I4)
385	435	-	+	2	(I,2) (4,5) (7,9) (8,I0) (II,I2) (I3,I4)
386	442	-	+	2	(I,2) (4,5) (7,I0) (8,9) (II,I2)
387	451	-	+	I	
388	405	-	-	4	(I,2,I3,I4) (3,I2) (4,5,8,9) (7,I0)
389	444	-	+	2	(I,2) (4,5) (7,I0) (8,9) (II,I2) (I3,I4)
390	443	-	+	2	(I,2) (4,5) (7,10) (8,9) (II,I2) (I3,I4)
391	450	-	+	2	(I,I0) (2,8) (3,I3) (4,5) (6,I2) (7,9) (II,I4)
392	452	-	+	I	
393	317	-	+	24	(I,2,3,7,9,II) (4,5,6) (8,I0,I2) (I3,I4)
394	441	-	+	2	(I,2) (4,5) (7,9) (8,I0) (II,I2) (I3,I4)
395	455	-	+	2	(2,3) (5,6) (9,II) (I0,I2) (I3,I4)
396	449	-	+	4	(I,I4) (2,3,I0,I2) (4,8) (5,6) (7,I3) (9,II)
397	456	-	+	2	(2,3) (5,6) (9,II) (I0,I2) (I3,I4)
398	461	-	+	2	(I,3) (4,6) (7,I2) (8,II) (9,I0) (I3,I4)
399	466	-	+	6	(I,2,3) (4,5,6) (7,8,9,I0,II,I2) (I3,I4)
400	I5	-	-	I28	(I,2,3,5,II,I2,I3,I4) (4,6,9,I0) (7,8)
401	41	-	+	64	(I,2,3,5,II,I2,I3,I4) (4,6,9,I0) (7,8)
402	73	-	+	I6	(I,2,3,5) (4,6) (7,8) (I0,II) (I3,I4)
403	98	-	+	I6	(I,2,3,5) (4,6) (7,8) (9,I0,II,I2) (I3,I4)
404	I00	-	+	I6	(I,2,3,5) (4,6) (7,8) (9,I0,II,I2) (I3,I4)
405	I05	-	+	8	(I,2,3,5) (4,6) (7,8) (9,II) (I0,I2) (I3,I4)
406	I80	-	+	8	(I,II) (2,3,I3,I4) (4,8) (5,I2) (6,I0) (7,9)
407	I87	-	+	I6	(I,5,II,I4) (2,3,I2,I3) (4,7,8,I0) (6,9)
408	208	-	+	4	(I,5) (2,3) (4,7) (8,I0) (II,I3)
409	215	-	+	2	(2,3)
410	212	-	+	4	(I,5) (2,3) (4,7) (8,I0) (II,I3) (I2,I4)
411	220	-	+	48	(I,5,6,8,I3,I4) (2,3,II,I2) (4,9,I0)
412	239	-	+	32	(I,5,II,I2) (2,3,I3,I4) (4,7,8,9) (6,I0)
413	285	-	+	4	(2,3) (5,6) (7,8) (9,I0) (II,I2) (I3,I4)
414	286	-	+	4	(2,3) (5,6) (7,8) (9,I0) (II,I2) (I3,I4)
415	287	-	+	4	(2,3) (5,6) (7,8) (9,I0) (II,I2) (I3,I4)
416	308	-	+	2	(2,3)
417	297	-	+	2	(2,3)

I	2	P1	Hm	G	0 р б и т ы
4I8	305	-	+	4	(I,5) (2,3) (4,9) (8,I2) (I3,I4)
4I9	304	-	+	4	(I,5) (2,3) (4,9) (8,I4)
420	318	-	+	8	(I,6) (2,3) (4,I0) (7,8,I2,I3) (II,I4)
421	319	-	-	24	(I,5,6) (2,3) (4,9,I0) (7,8,II,I2,I3,I4)
422	241	+	+	I2	(I,I4) (2,3,4,II,I2,I3) (5,6,7,8,9,I0)
423	251	-	+	2	(2,3) (6,7) (9,I0) (II,I2) (I3,I4)
424	262	-	+	2	(I,I4) (2,I3) (3,I2) (4,I0) (5,II) (6,9) (7,8)
425	265	-	+	4	(I,2,II,I3) (3,6,7,9) (4,5,I0,I4) (8,I2)
426	360	+	+	4	(I,2) (3,4,5,6) (7,8,9,I0) (II,I2,I3,I4)
427	361	-	+	4	(I,2) (3,4,5,6) (7,8,9,I0) (II,I2,I3,I4)
428	364	-	+	4	(I,2) (3,4,5,6) (7,8,9,I0) (II,I2,I3,I4)
429	388	+	+	4	(I,I4) (2,I3) (3,4,II,I2) (5,6,9,I0) (7,8)
430	393	-	+	2	(3,4) (5,6) (7,8) (9,I0) (II,I2) (I3,I4)
431	410	-	+	I	
432	389	-	+	4	(I,I4) (2,I3) (3,4,II,I2) (5,6,9,I0) (7,8)
433	394	-	+	2	(3,4) (5,6) (7,8) (9,I0) (II,I2) (I3,I4)
434	411	-	+	I	
435	423	-	+	2	(3,4) (5,6) (7,8) (9,I0) (II,I2) (I3,I4)
436	354	+	+	28	(I,2,3,4,5,6,7,8,9,I0,II,I2,I3,I4)
437	356	-	+	4	(I,2) (3,4,5,6) (7,8,9,I0) (II,I2,I3,I4)
438	355	-	+	28	(I,2,3,4,5,6,7,8,9,I0,II,I2,I3,I4)
439	378	-	+	2	(I,3) (2,5) (4,7) (6,9) (8,II) (I0,I3) (I2,I4)
440	362	-	+	4	(I,2,3,5) (4,6,7,9) (8,I0,II,I3) (I2,I4)
441	363	-	+	4	(I,2,3,5) (4,6,7,9) (8,I0,II,I2) (I3,I4)
442	380	-	+	2	(I,5) (2,3) (4,9)(6,7) (8,I2) (I0,II) (I3,I4)
443	365	-	+	4	(I,2) (3,4,5,6) (7,8,9,I0) (II,I2,I3,I4)
444	415	-	+	I	
445	406	-	+	4	(I,2,I2,I4) (3,6,II,I3) (4,5,8,9) (7,I0)
446	413	-	+	I	
447	404	-	+	4	(I,2,I3,I4) (3,6,II,I2) (4,5,8,9) (7,I0)
448	426	-	+	2	(I,2) (3,6) (4,5) (7,I0) (8,9) (II,I4) (I2,I3)
449	462	-	+	8	(I,2) (3,4,5,6) (7,8,9,I0) (II,I2,I3,I4)
450	447	-	+	I	
451	446	-	+	I	
452	448	-	+	I	
453	463	-	+	4	(I,2) (3,4,5,6) (7,8,9,I0) (II,I4) (I2,I3)

I	2	P1	Hm	Г	0 р б и т ы
454	467	-	+	4	(I,2) (3,4,5,6) (7,8,9,I0) (II,I4) (I2,I3)
455	436	-	+	8	(I,2) (3,4,5,6) (7,8,9,I0) (II,I2,I3,I4)
456	464	-	+	4	(I,2) (3,4,5,6) (7,8,9,I0) (II,I4) (I2,I3)
457	465	-	+	8	(I,2) (3,4,5,6) (7,8,9,I0) (II,I2,I3,I4)
458	379	-	+	2	(I,2) (3,5) (4,6) (7,8) (9,I0) (II,I2) (I3,I4)
459	371	-	+	8	(I,5,I3,I4) (2,3,I0,II) (4,8,9,I2) (6,7)
460	420	-	+	2	(I,I4) (2,I3) (3,I2) (4,I0) (5,II) (6,9) (7,8)
461	424	-	+	2	(I,I4) (2,I0) (3,I3) (4,II) (5,I2) (7,8)
462	429	-	+	2	(I,I2) (2,I0) (3,7) (4,I4) (5,II) (8,I3)
463	427	-	+	2	(I,I1) (2,I4) (3,7) (4,I0) (5,I2) (6,9) (8,I3)
464	433	-	+	I	
465	454	-	+	I6	(I,5,9,I2) (2,3,I3,I4) (4,8) (6,7,I0,II)
466	457	-	+	I	
467	453	-	+	2	(2,3) (6,7) (II,I2)
468	468	-	+	I	
469	470	-	+	2	(I,5) (2,3) (4,8) (6,7) (9,I3) (II,I2)
470	471	-	+	4	(I,5) (2,3) (4,8) (6,7) (9,I4) (I0,II,I2,I3)
471	472	-	+	4	(I,5) (2,3) (4,8) (6,7) (9,I4) (I0,II,I2,I3)
472	469	-	+	2	(I,5) (4,8) (9,I4) (I0,II)
473	473	-	+	4	(I,I4) (2,3,I2,I3) (4,II) (5,I0) (6,7,8,9)
474	474	-	+	2	(I,I3) (2,I4) (3,I2) (4,9) (5,I0) (6,II) (7,8)
475	475	-	+	2	(I,I4) (2,II) (3,I3) (4,I2) (5,I0) (7,9)
476	476	-	+	I	
477	477	-	+	I	
478	478	+	+	I2	(I,4,5,I0,I3,I4) (2,3,8,9,II,I2) (6,7)
479	479	-	+	2	(I,4) (2,9) (3,8) (5,I3) (6,7) (I0,I4)(II,I2)
480	484	-	+	8	(I,2,3,5) (4,6,7,I0) (8,9,II,I2) (I3,I4)
481	490	-	+	2	(I,2) (3,5) (4,6) (7,I0) (9,II) (I2,I4)
482	493	-	+	2	(2,3) (6,7) (8,9) (II,I2) (I3,I4)
483	495	-	+	2	(2,3) (6,7) (8,9) (II,I2) (I3,I4)
484	483	-	+	I	
485	488	-	+	2	(I,9) (2,I4) (3,I3) (5,I0) (6,I2) (7,II)
486	489	-	+	2	(I,I2) (2,I4) (3,9) (4,7) (5,I0) (6,I3) (8,II)
487	491	-	+	2	(I,2) (3,5) (4,6) (7,I0) (9,II) (I2,I4)
488	485	-	+	4	(I,2,3,5) (4,6,7,I0) (8,I2) (9,II)
489	480	-	+	2	(I,I3) (2,I4) (3,I2) (4,8) (5,I0) (6,9)
490	494	-	+	2	(I,I2) (2,I4) (3,7) (4,9) (5,II) (6,I0) (8,I3)

I	2	Pl	Hm	Γ	0 р б и т ы
491	492	-	+	2	(I,5) (2,3) (4,I0) (6,7) (8,I2) (9,I3)
492	496	-	+	I	
493	481	-	+	8	(I,2,3,5,9,II,I3,I4) (4,6,7,I0) (8,I2)
494	498	-	+	2	(I,3) (2,5) (4,7) (6,I0) (8,I3) (9,I2) (II,I4)
495	482	-	+	8	(I,2,3,5,9,II,I3,I4) (4,6,7,I0) (8,I2)
496	500	-	+	2	(I,5) (2,3) (4,I0) (6,7) (8,I3) (9,I4) (II,I2)
497	486	-	+	4	(I,2,3,5) (4,6,7,I0) (8,I2) (9,II,I3,I4)
498	487	-	+	I6	(I,2,3,5,9,I2,I3,I4) (4,6,7,I0) (8,II)
499	497	-	+	6	(I,2,8,9,II,I2) (3,5,7,I0,I3,I4) (4,6)
500	499	-	+	2	(I,2) (3,5) (4,6) (7,I0) (8,II) (9,I2) (I3,I4)
501	502	-	+	2	(I,I4) (2,II) (3,I3) (4,9) (5,I0) (7,I2)
502	503	-	+	4	(I,2,I0,II) (3,5,I3,I4) (4,6) (7,I2) (8,9)
503	501	-	+	4	(I,2,I3,I4) (3,5,I0,II) (4,6,8,9) (7,I2)
504	504	-	+	8	(I,5,II,I2) (2,6) (3,4,7,8,9,I0,I3,I4)
505	505	-	+	4	(I,5) (3,4,7,9) (8,I0,I3,I4) (II,I2)
506	506	-	+	8	(I,5,II,I2) (2,6) (3,4,7,8,9,I0,I3,I4)
507	507	-	+	I2	(I,I4) (2,3,4,II,I2,I3) (5,6,7,8,9,I0)
508	508	-	+	I4	(I,2,4,5,I0,II,I4) (3,6,7,8,9,I2,I3)
509	509	-	+	336	(I,2,3,4,5,6,7,8,9,I0,II,I2,I3,I4)

Приложение 2

ДИАГРАММЫ ГРАФОВ

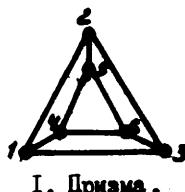
Все планарные графы изображены без пересечений ребер. Также учитывались сведения о симметриях графов.

$$p = 4$$

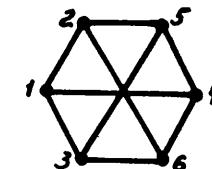


I. Тетраэдр.

$$p = 6$$

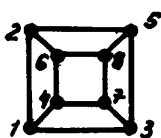
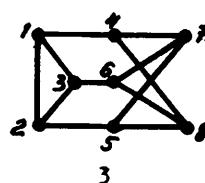
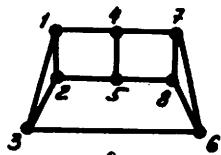
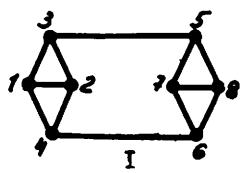


I. Призма.



2. Лестница Мебиуса.

$$p = 8$$

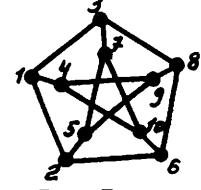
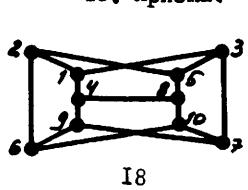
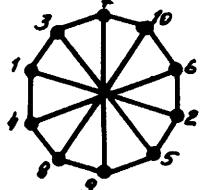
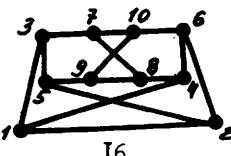
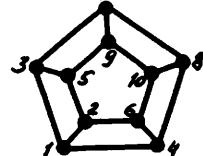
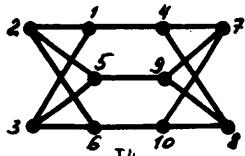
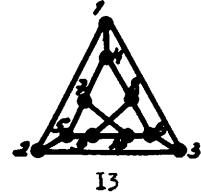
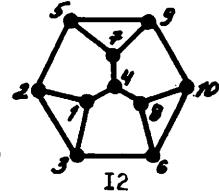
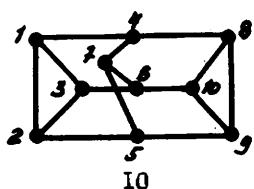
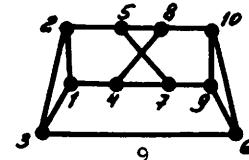
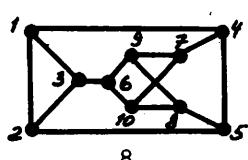
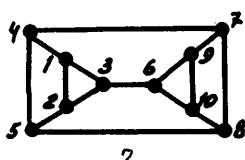
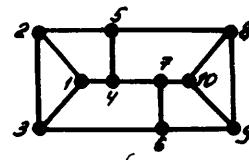
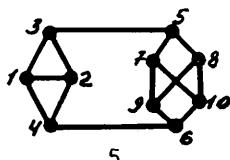
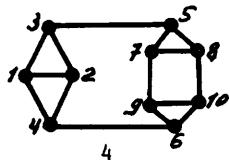
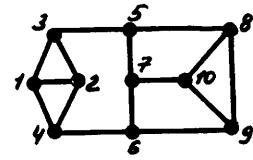
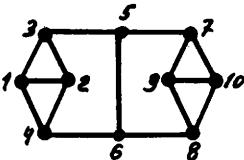
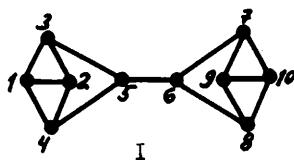


4. Призма.



5. Лестница Мебиуса.

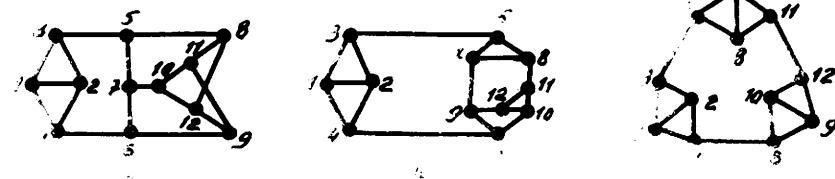
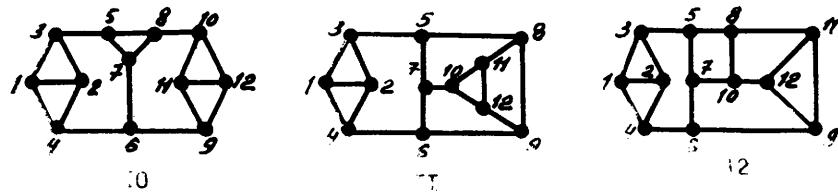
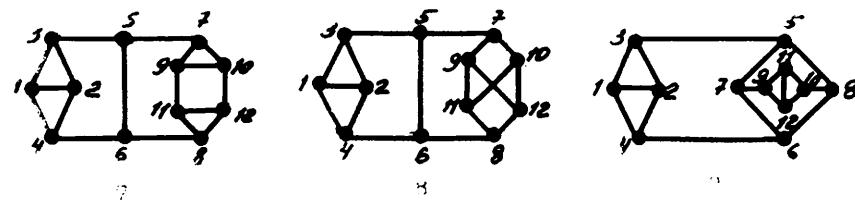
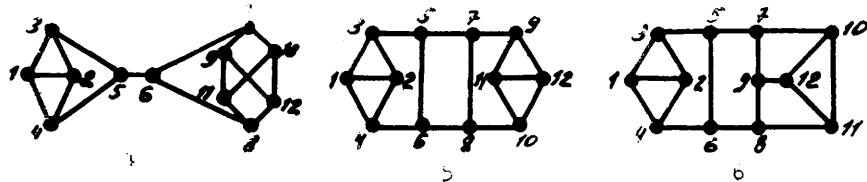
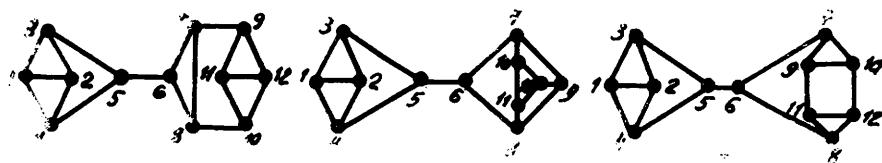
$p = 10$



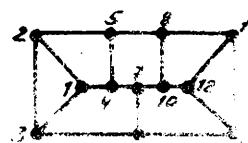
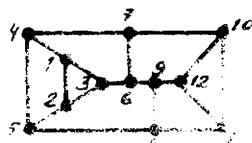
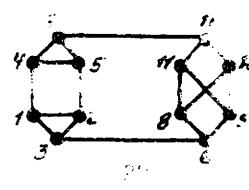
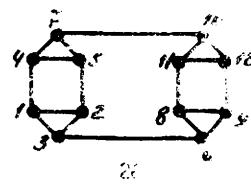
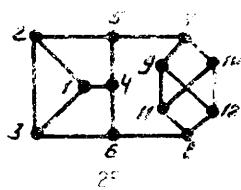
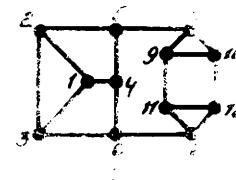
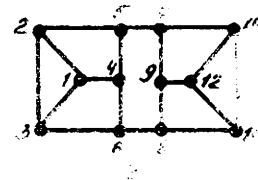
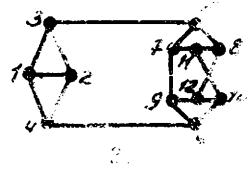
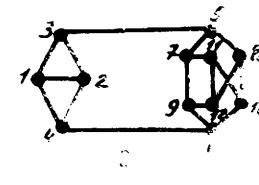
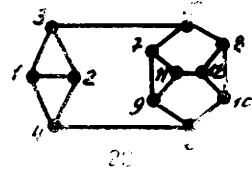
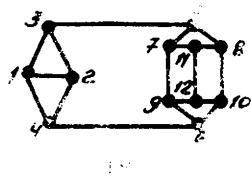
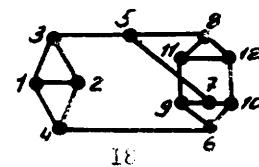
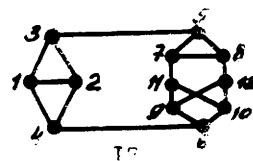
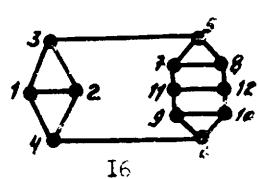
I7. Лестница Мебиуса.

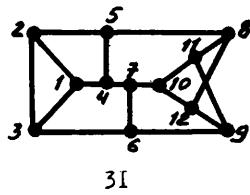
I9. Граф Петерсена.

$n = 12$

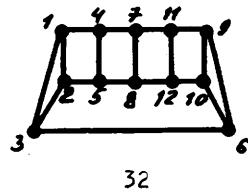


15

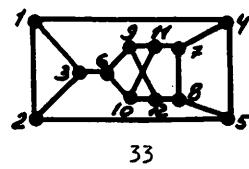




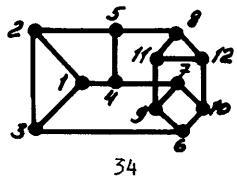
31



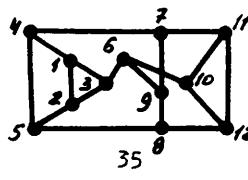
32



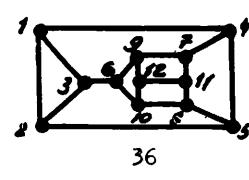
33



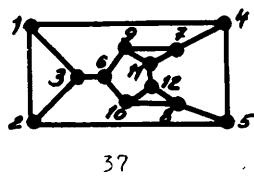
34



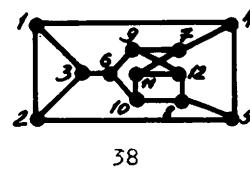
35



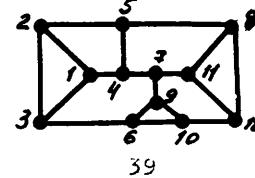
36



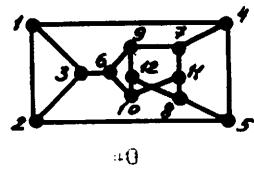
37



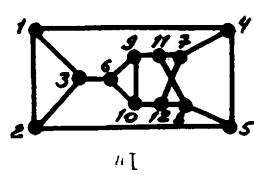
38



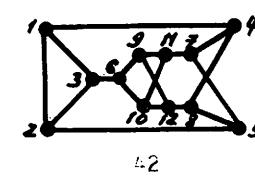
39



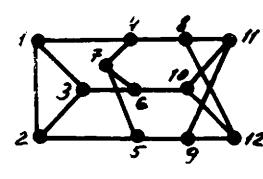
40



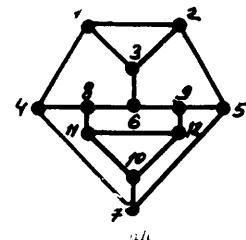
41



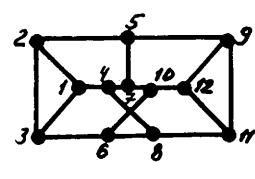
42



43

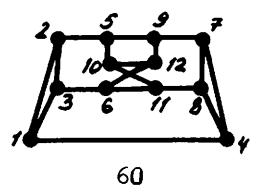
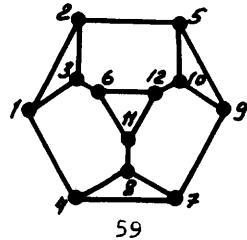
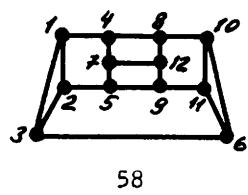
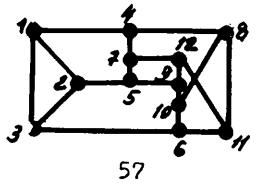
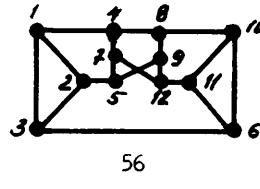
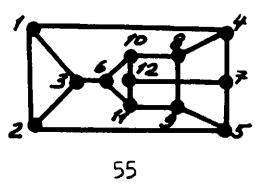
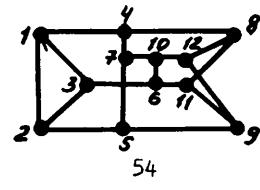
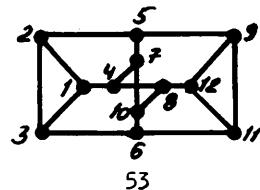
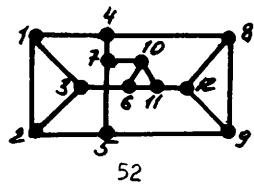
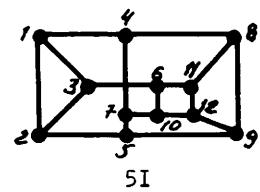
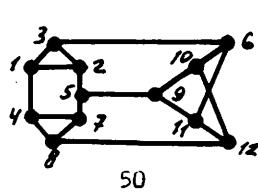
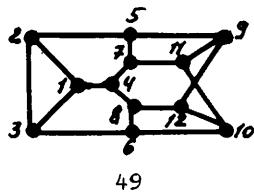
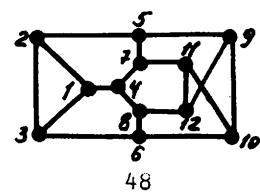
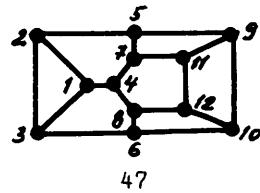
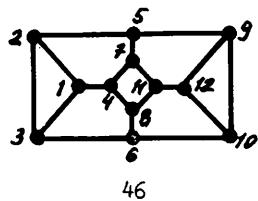


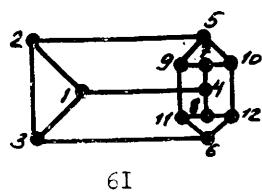
44



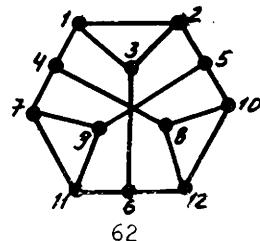
45

104

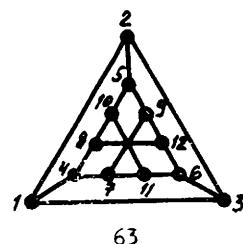




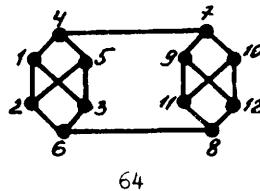
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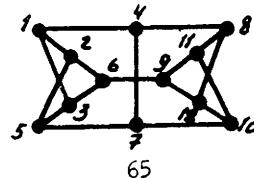
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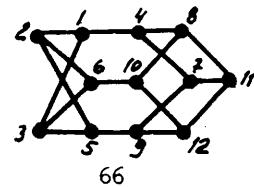
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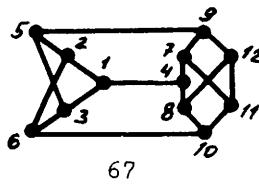
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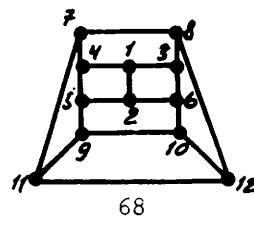
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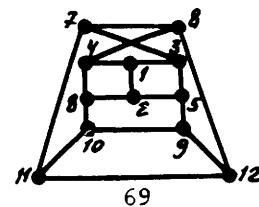
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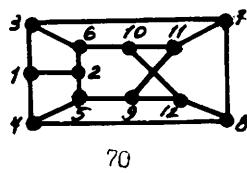
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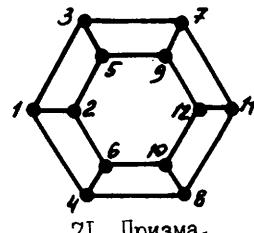
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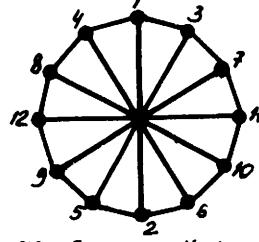
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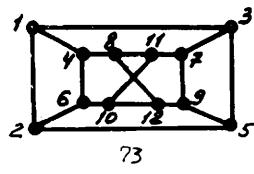
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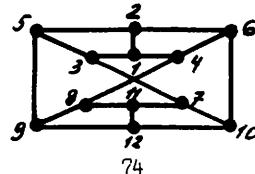
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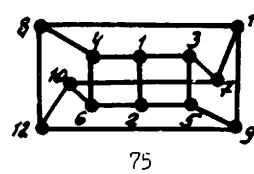
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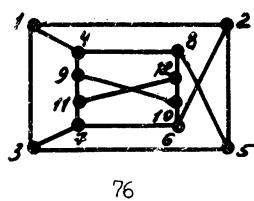
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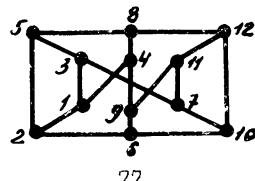
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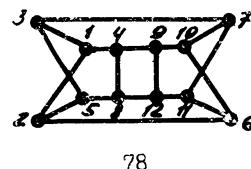
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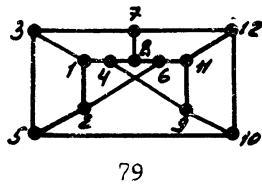
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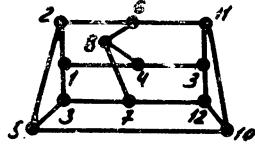
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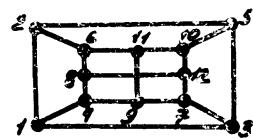
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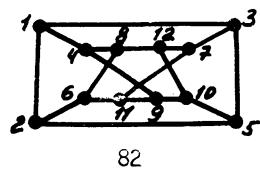
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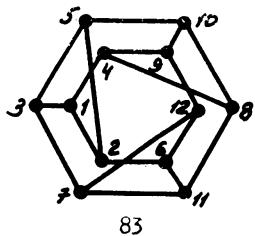
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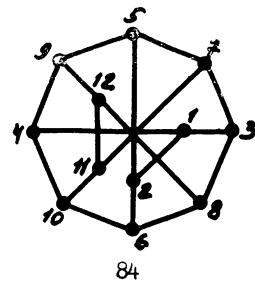
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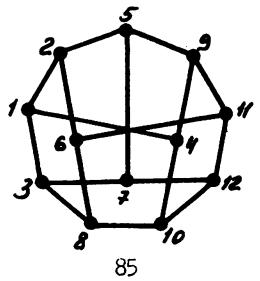
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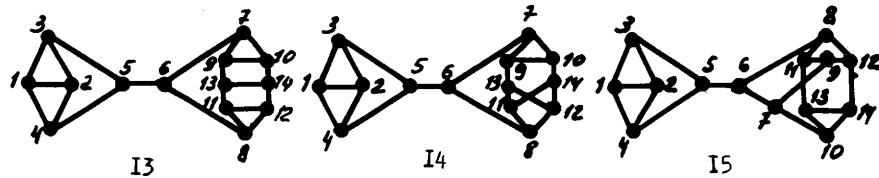
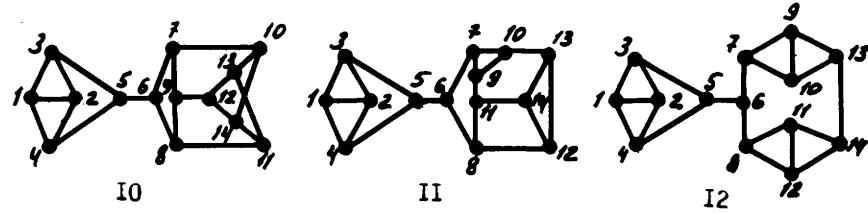
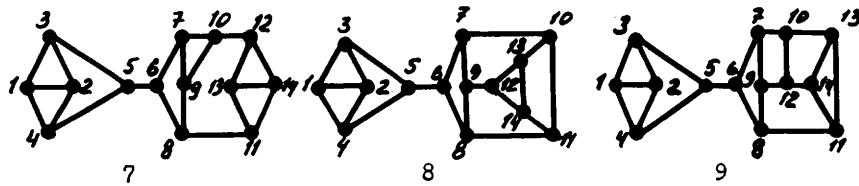
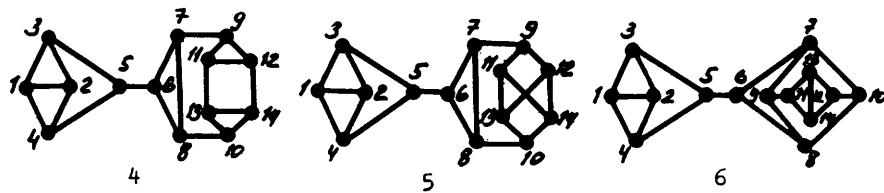
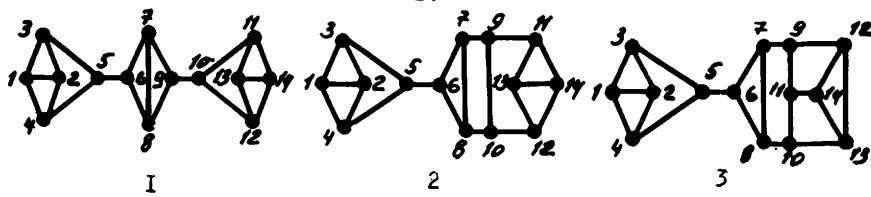


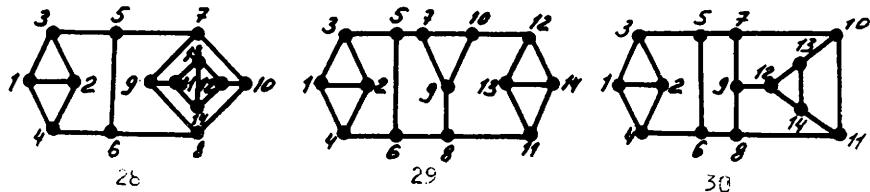
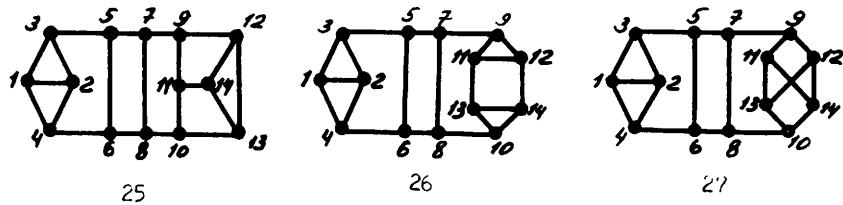
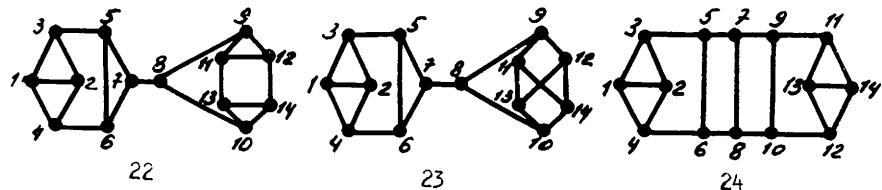
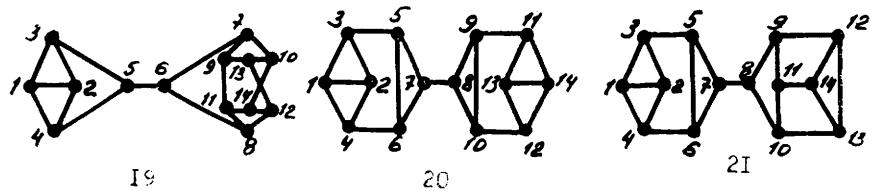
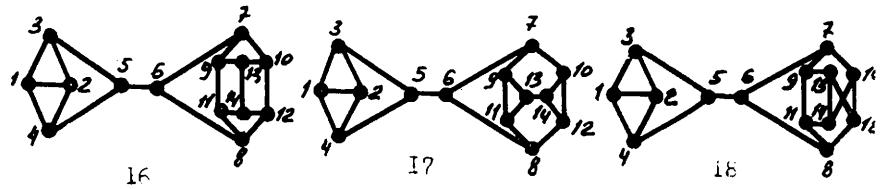
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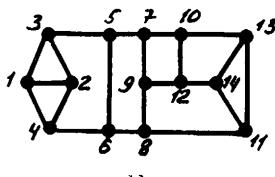


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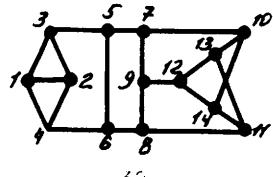
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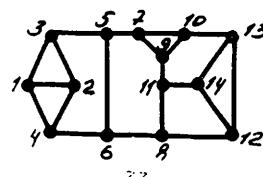




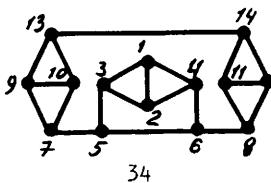
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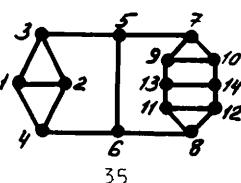
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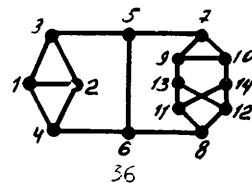
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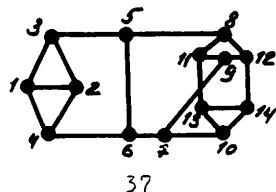
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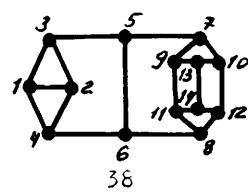
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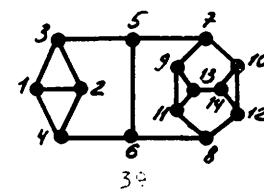
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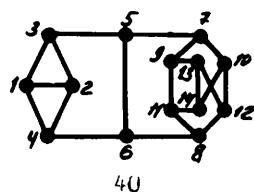
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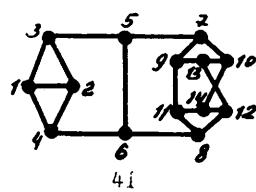
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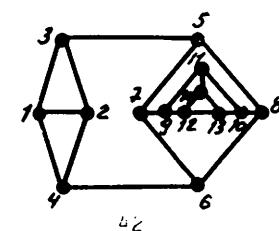
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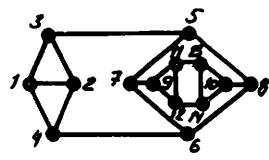
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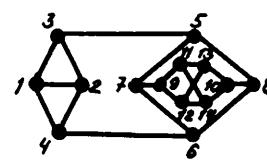
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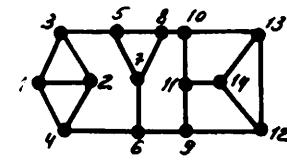
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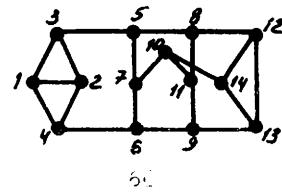
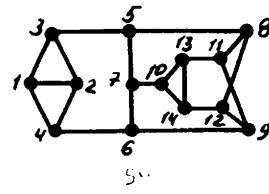
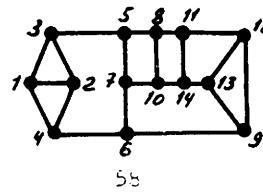
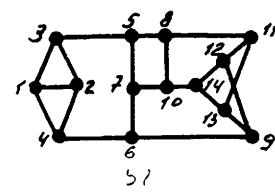
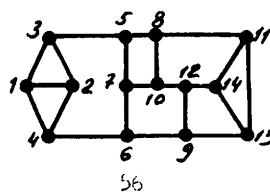
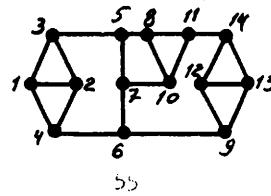
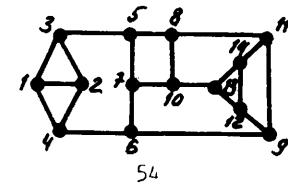
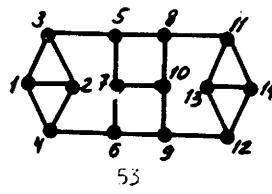
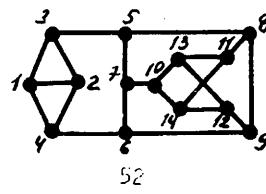
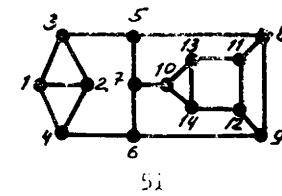
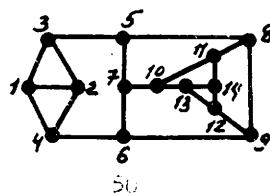
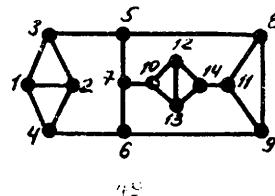
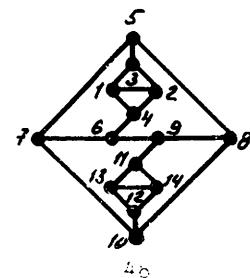
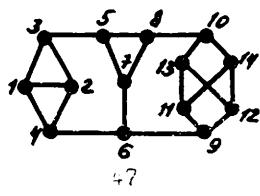
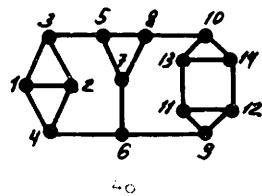


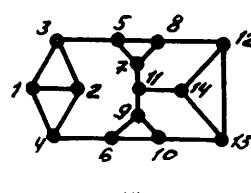
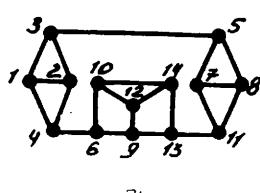
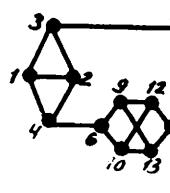
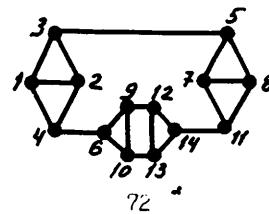
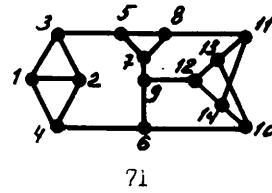
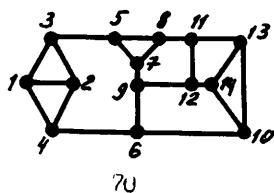
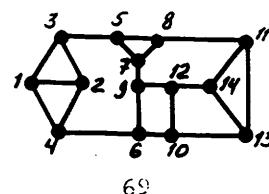
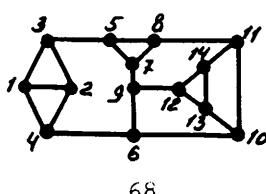
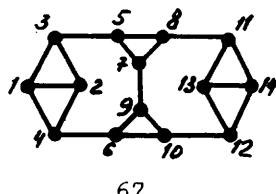
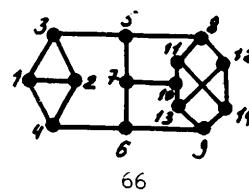
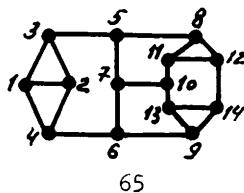
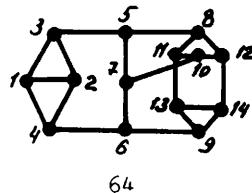
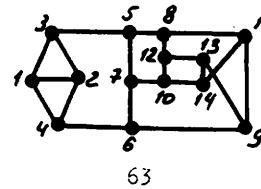
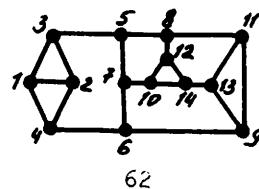
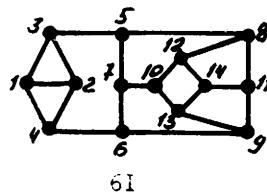
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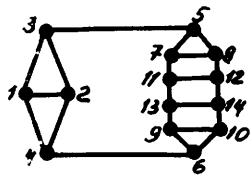


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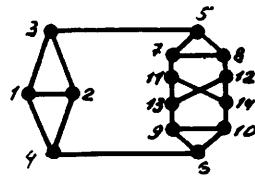
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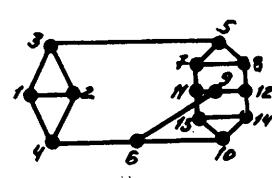




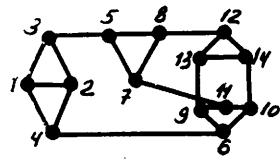
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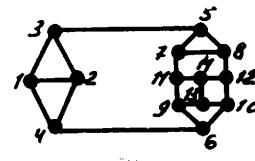
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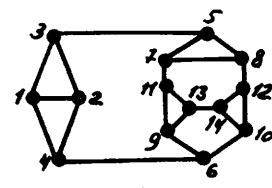
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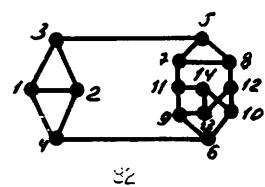
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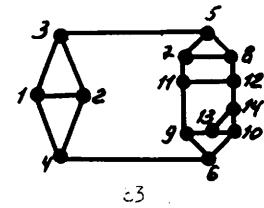
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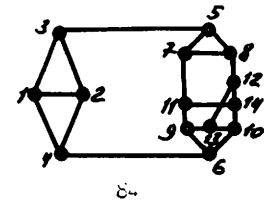
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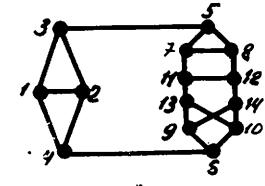
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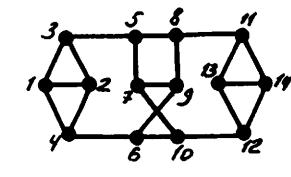
83



84

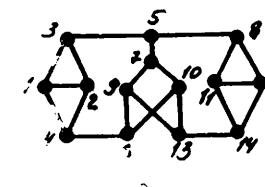


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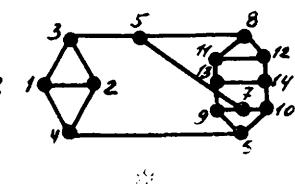


86

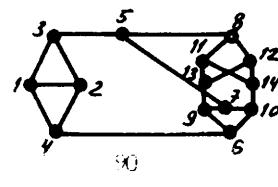
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88

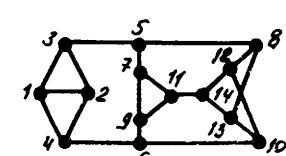
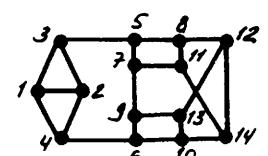
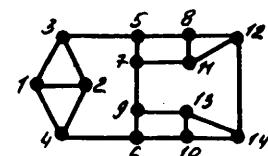
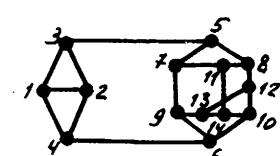
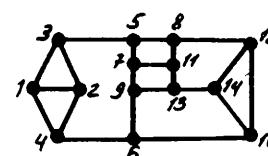
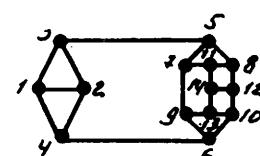
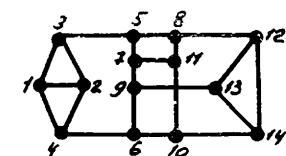
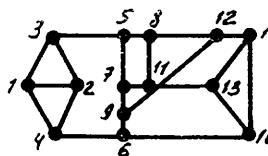
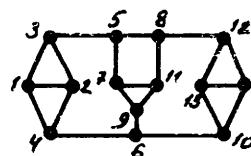
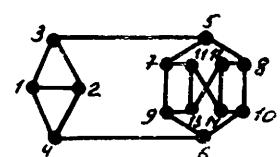
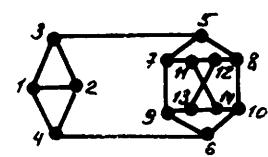
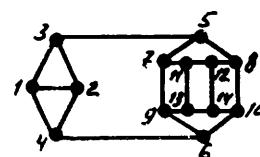
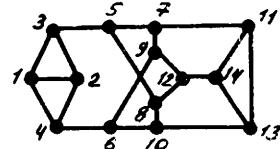
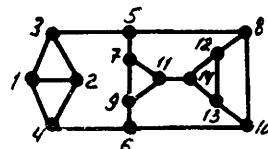
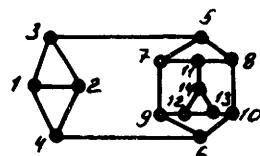


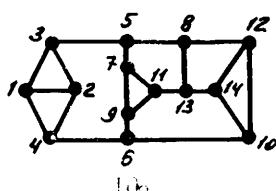
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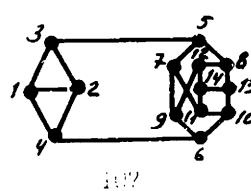
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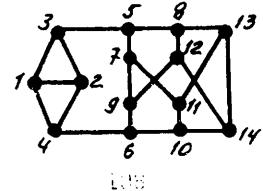




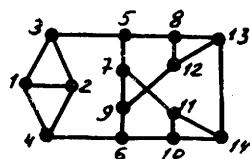
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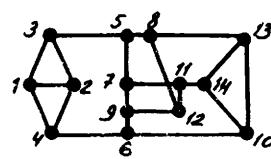
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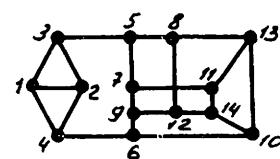
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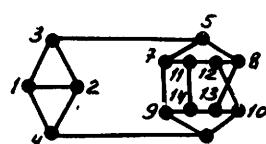
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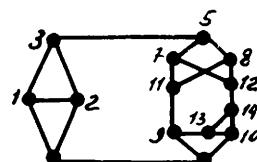
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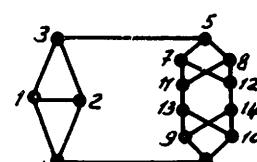
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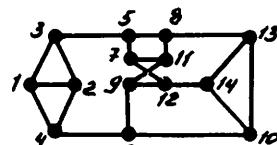
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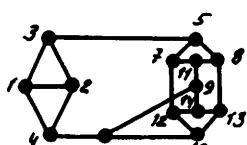
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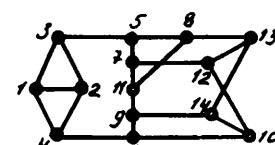
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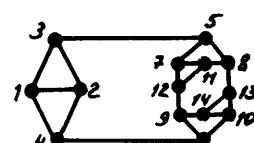
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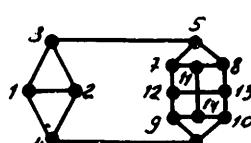
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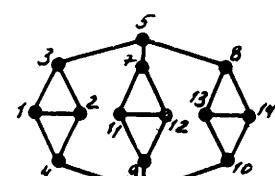
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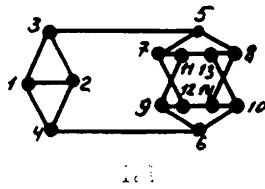
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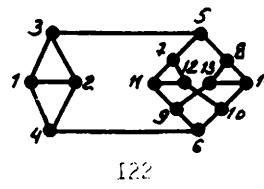
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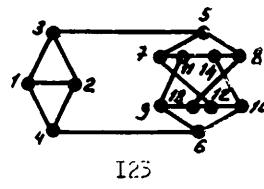
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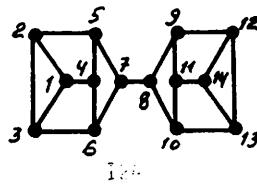
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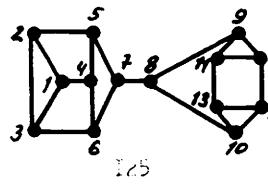
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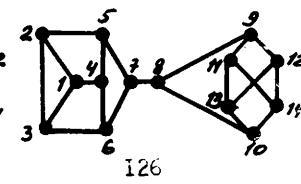
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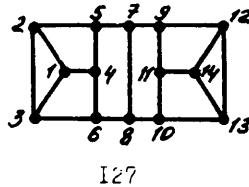
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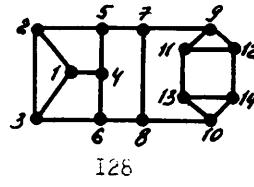
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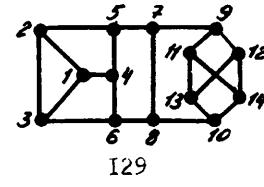
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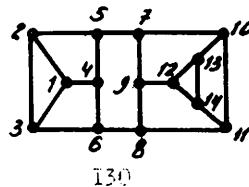
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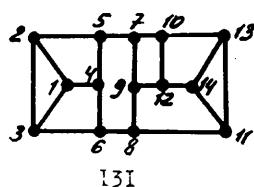
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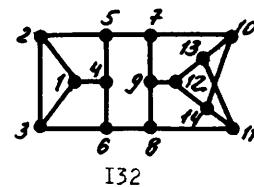
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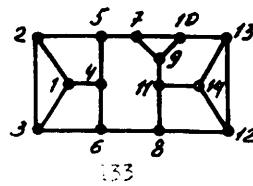
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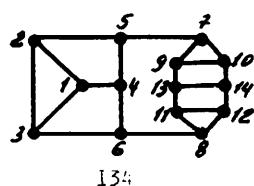
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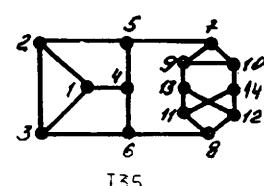
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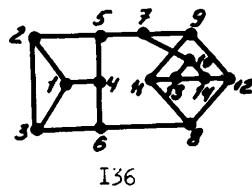
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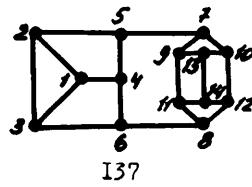
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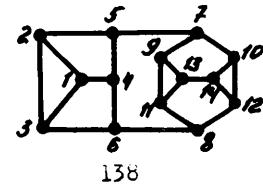
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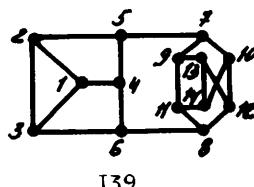
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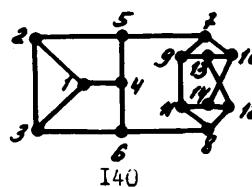
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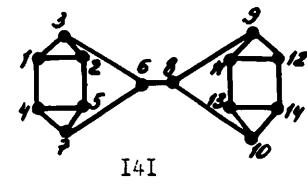
I38



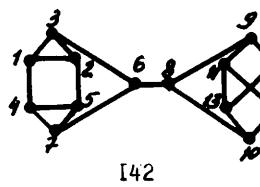
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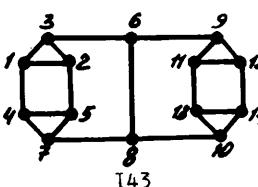
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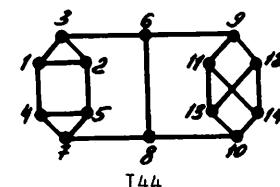
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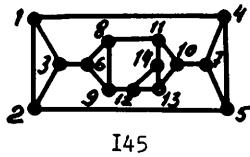
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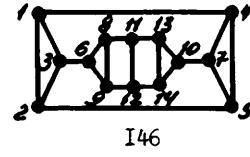
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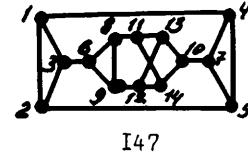
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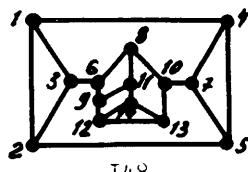
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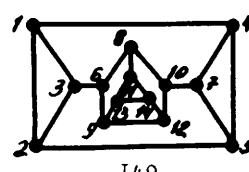
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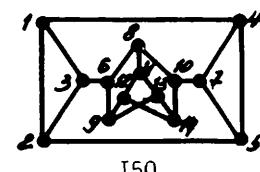
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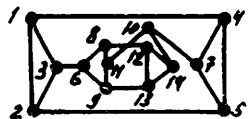
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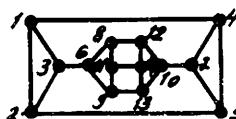
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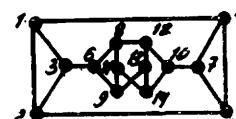
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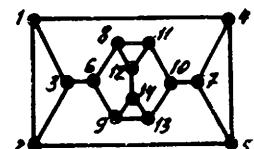
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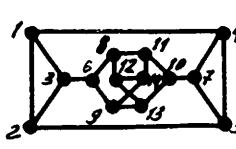
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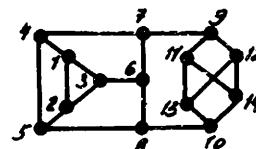
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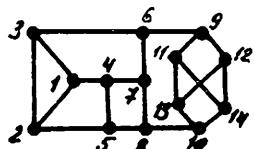
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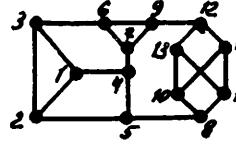
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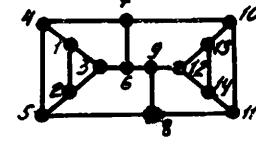
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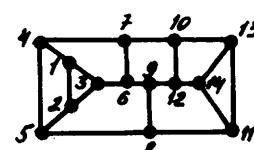
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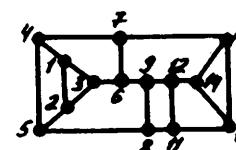
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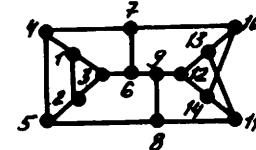
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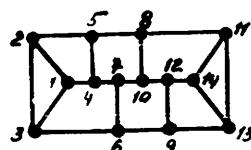
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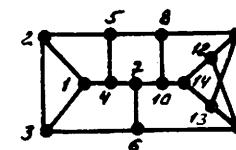
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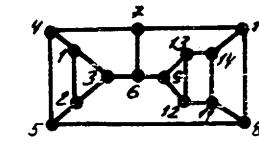
I62



I63

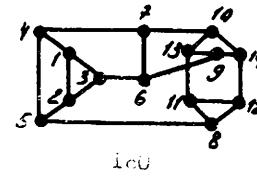
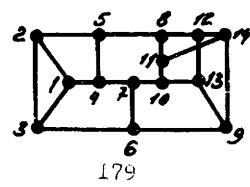
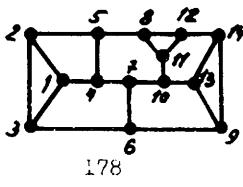
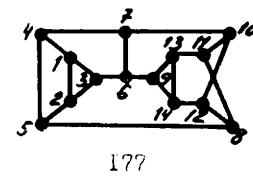
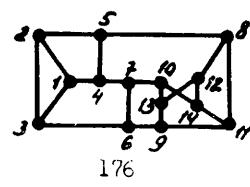
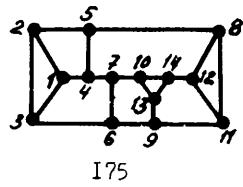
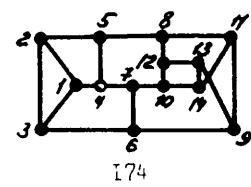
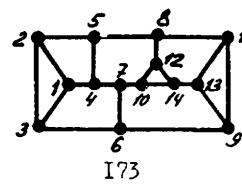
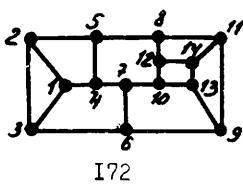
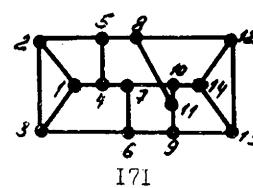
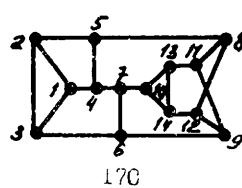
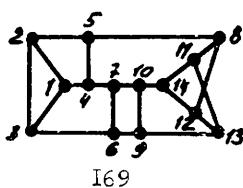
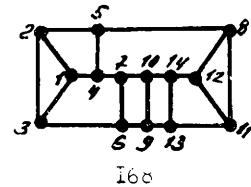
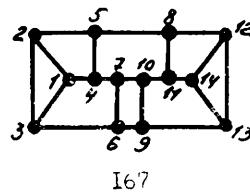
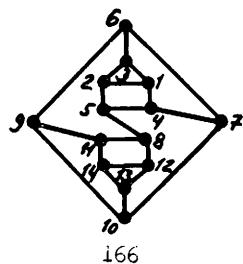


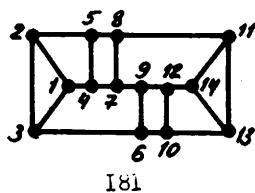
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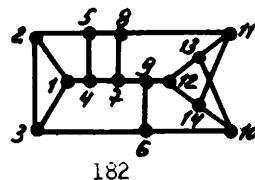
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118

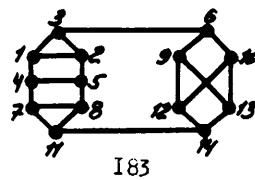




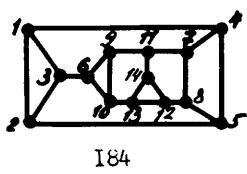
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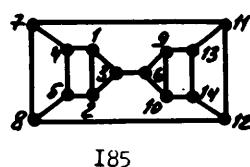
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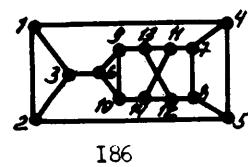
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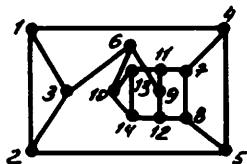
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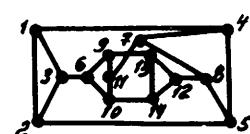
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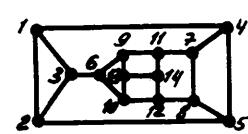
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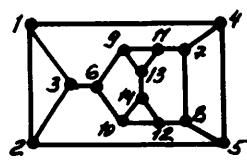
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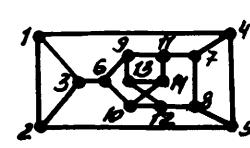
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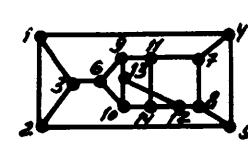
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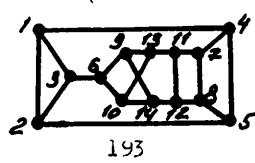
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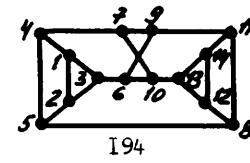
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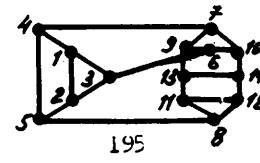
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I93

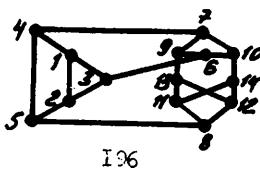


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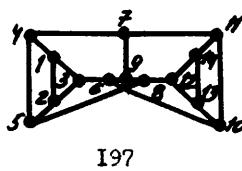


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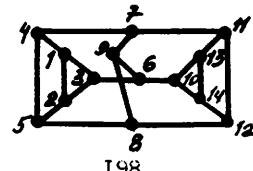
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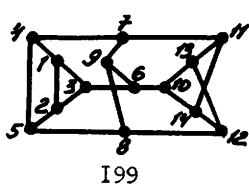
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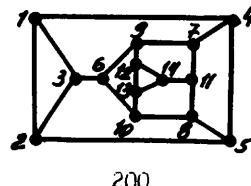
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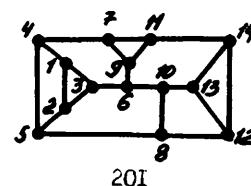
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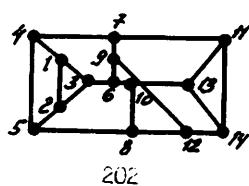
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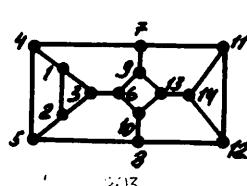
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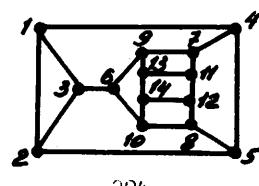
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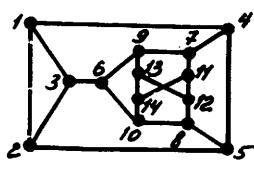
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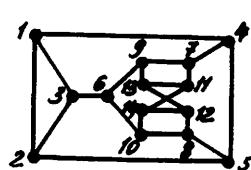
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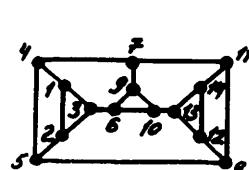
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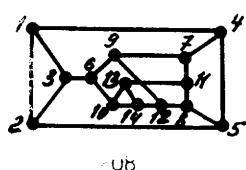
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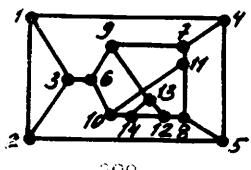
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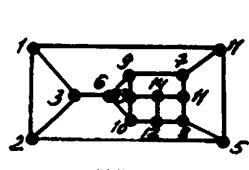
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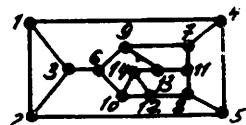
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209



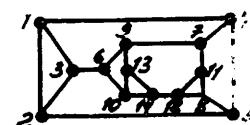
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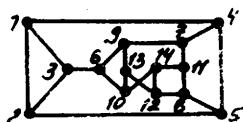
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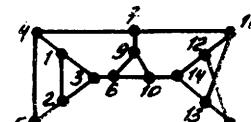
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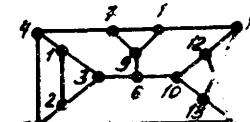
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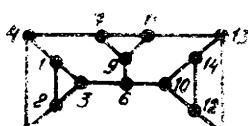
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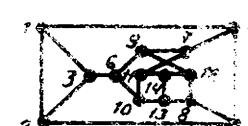
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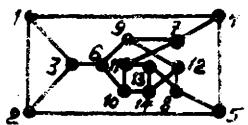
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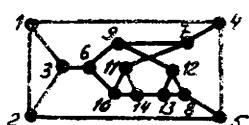
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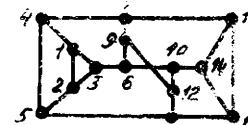
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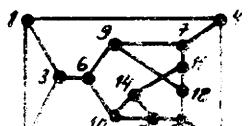
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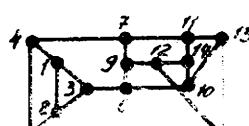
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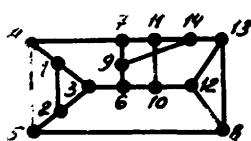
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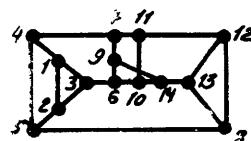
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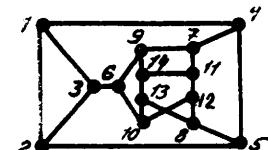
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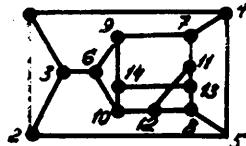
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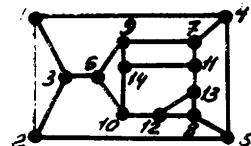
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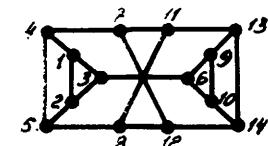
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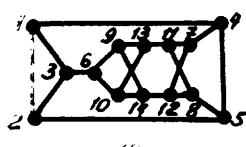
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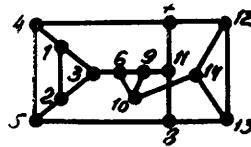
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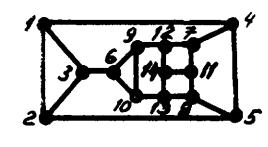
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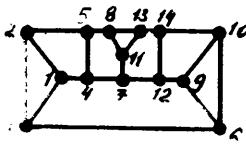
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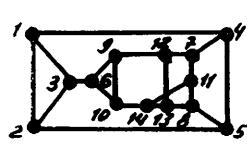
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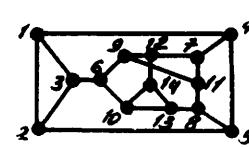
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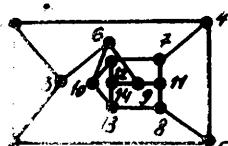
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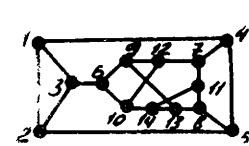
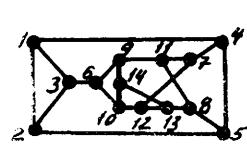
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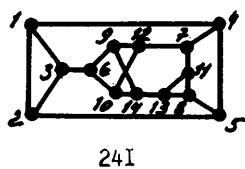


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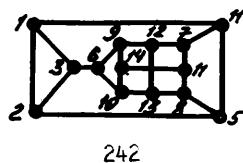


- 1 -

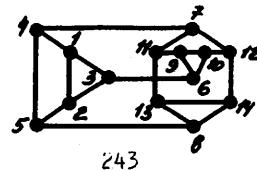




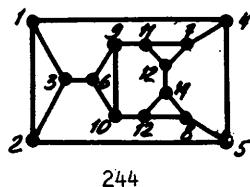
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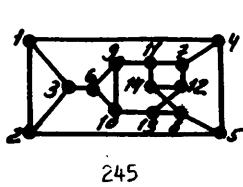
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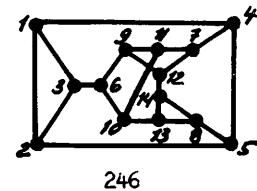
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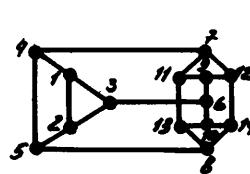
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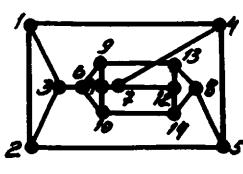
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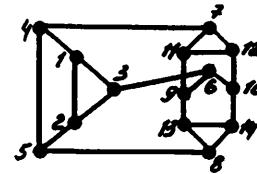
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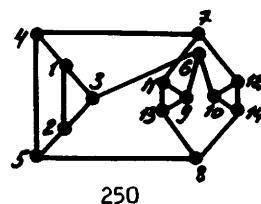
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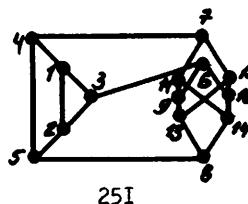
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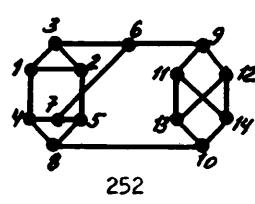
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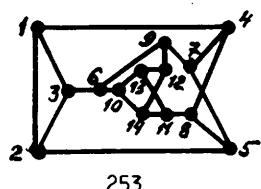
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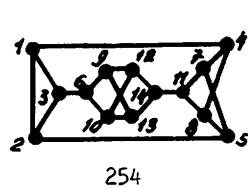
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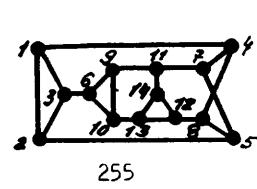
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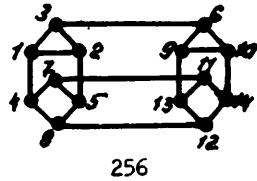
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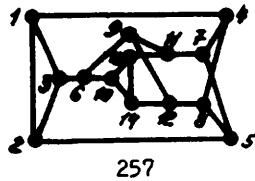
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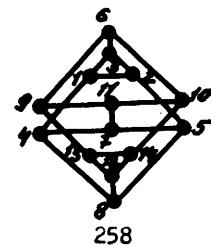
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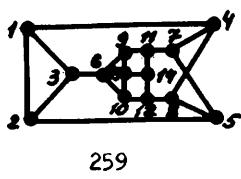
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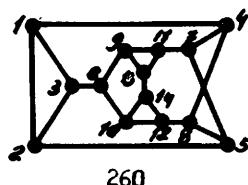
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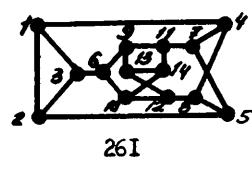
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259



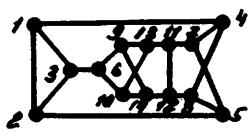
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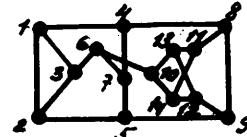
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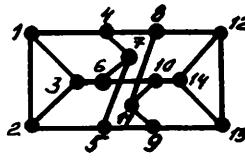
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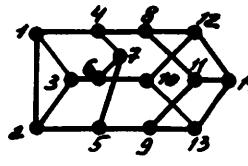
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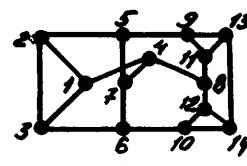
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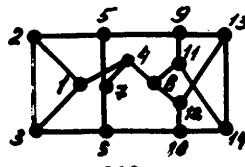
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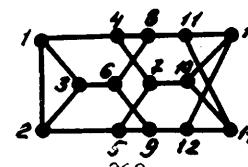
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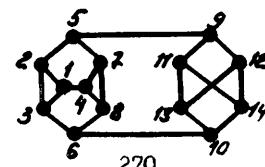
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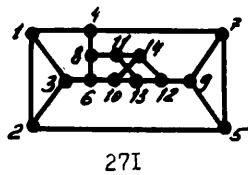
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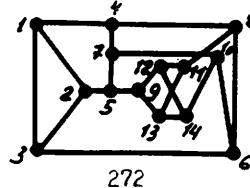
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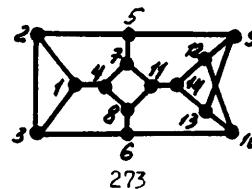
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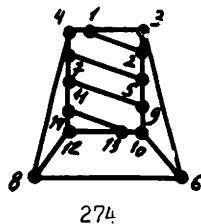
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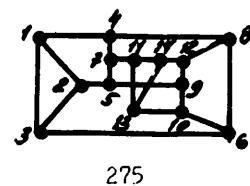
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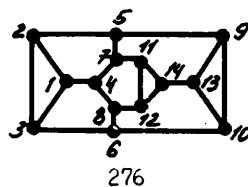
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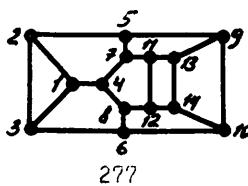
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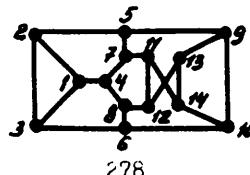
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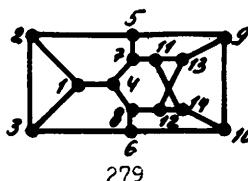
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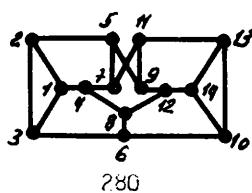
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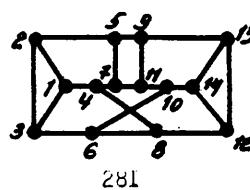
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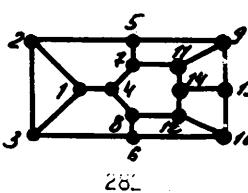
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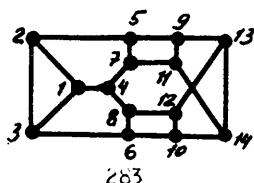
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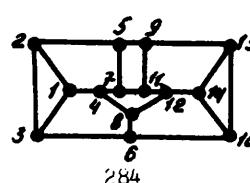
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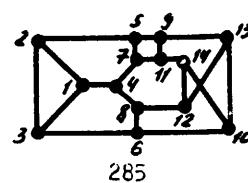
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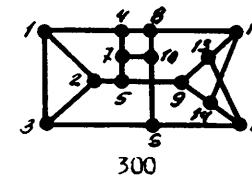
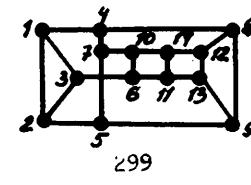
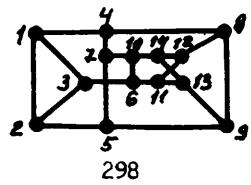
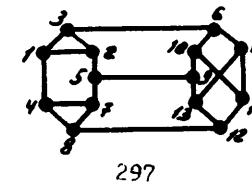
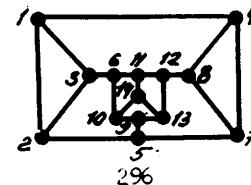
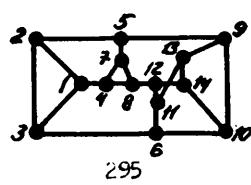
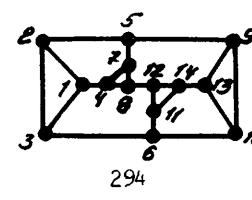
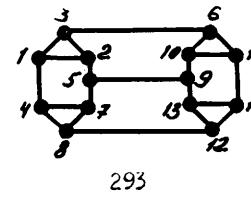
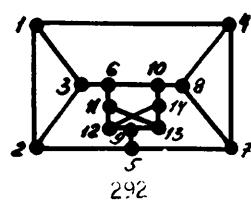
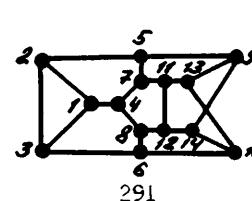
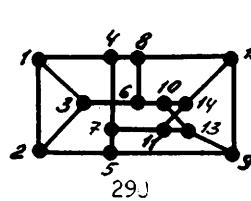
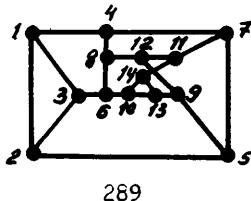
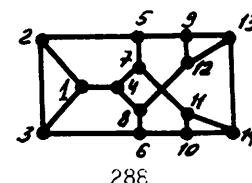
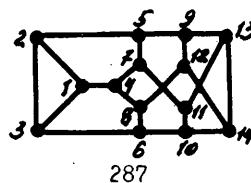
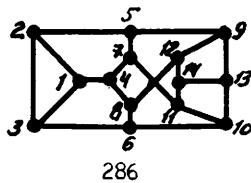
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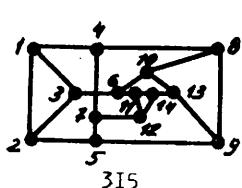
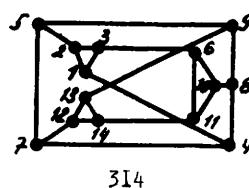
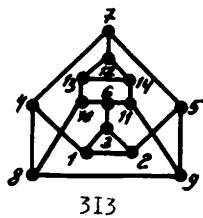
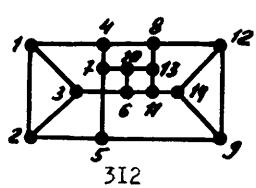
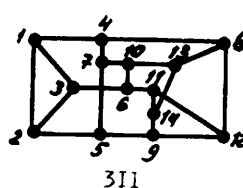
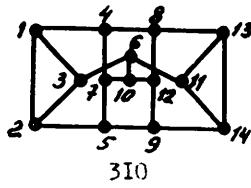
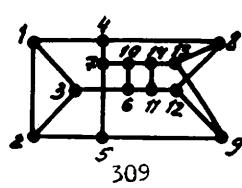
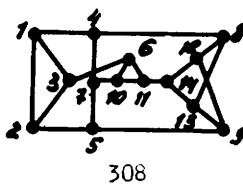
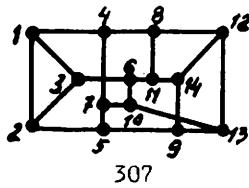
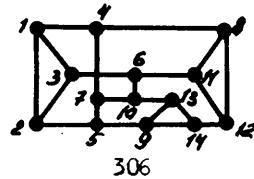
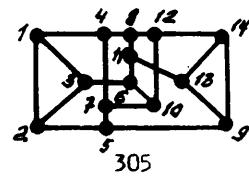
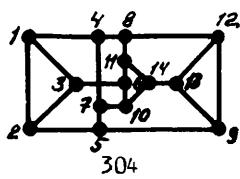
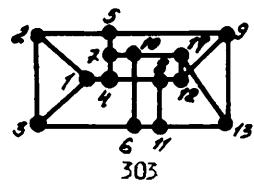
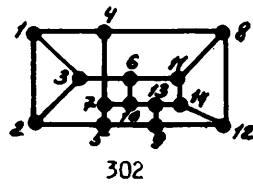
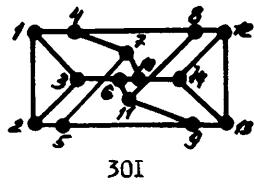


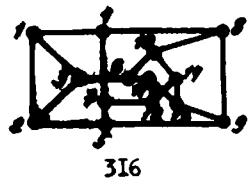
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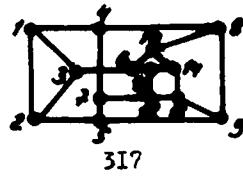
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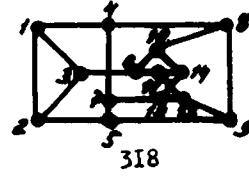




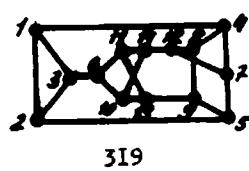
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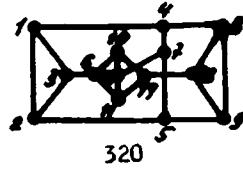
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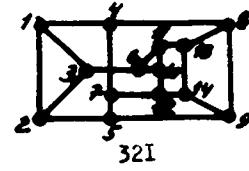
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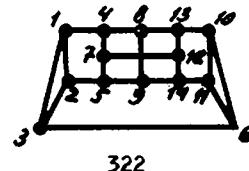
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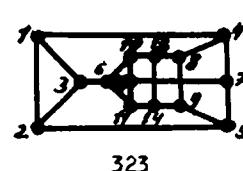
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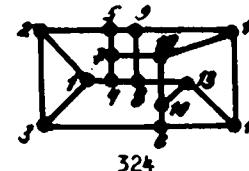
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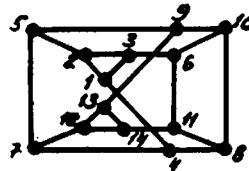
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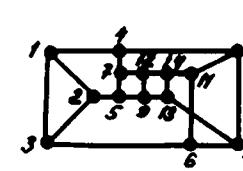
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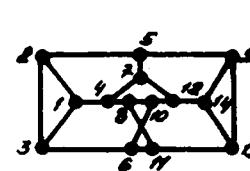
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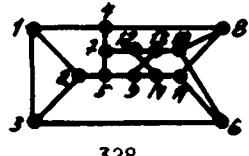
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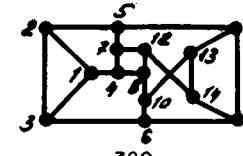
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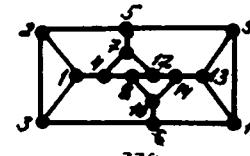
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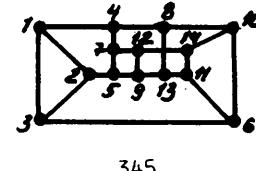
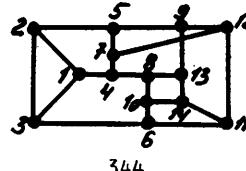
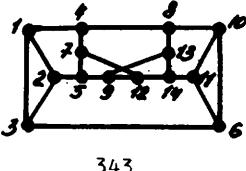
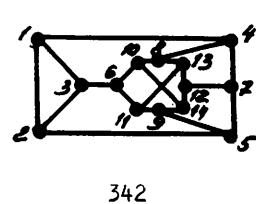
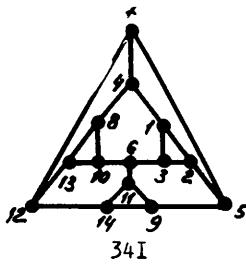
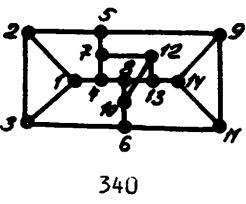
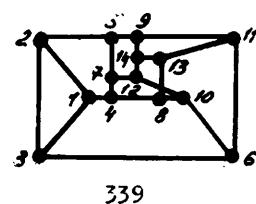
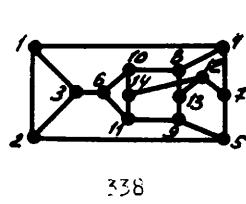
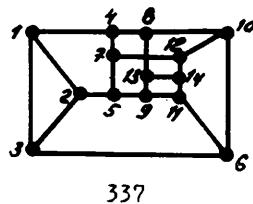
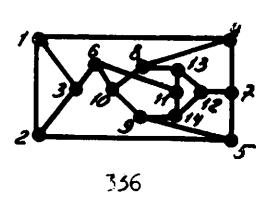
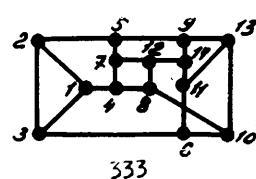
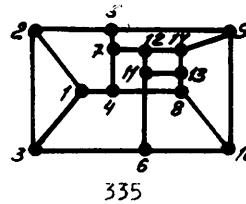
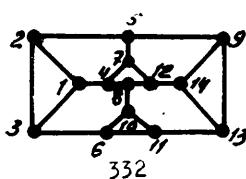
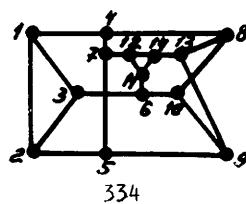
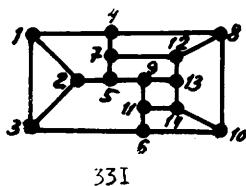
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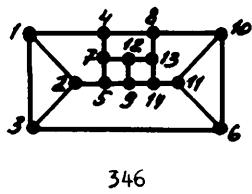


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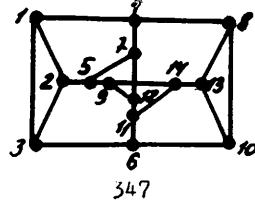


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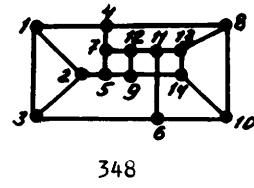




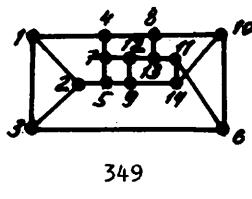
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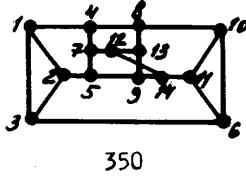
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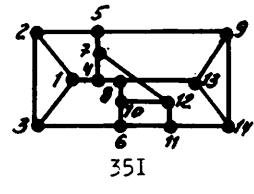
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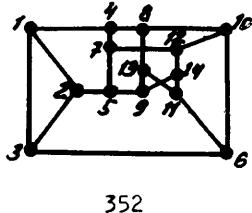
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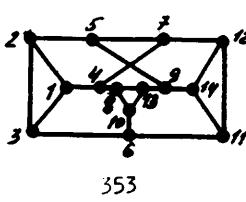
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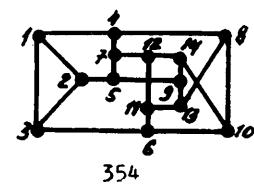
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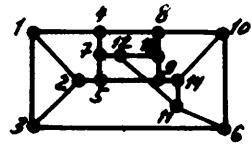
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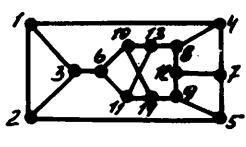
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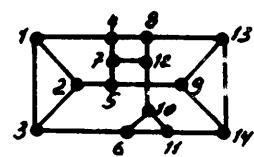
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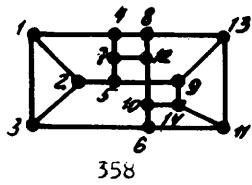
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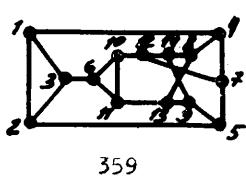
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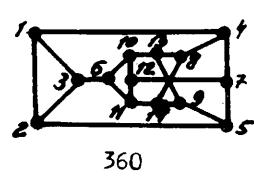
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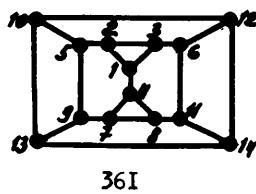
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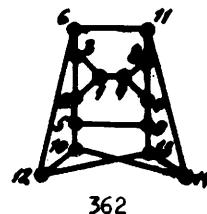
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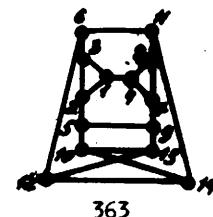
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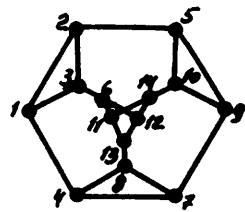
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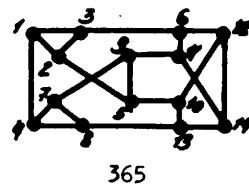
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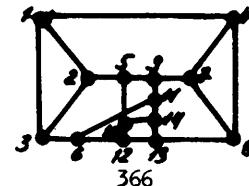
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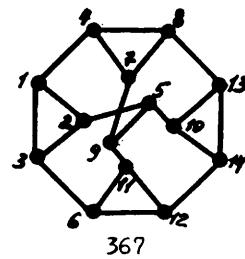
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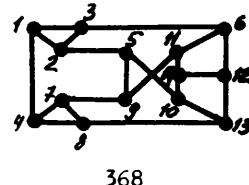
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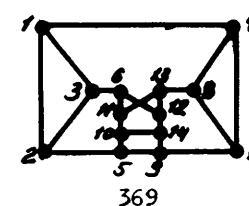
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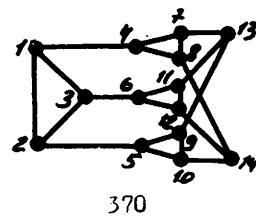
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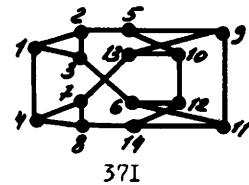
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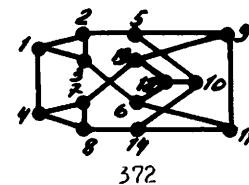
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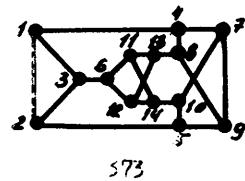
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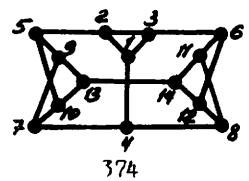
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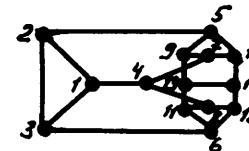
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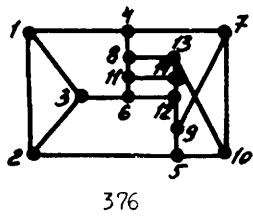
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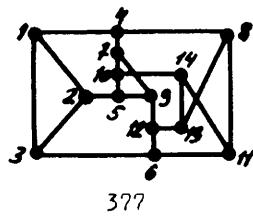
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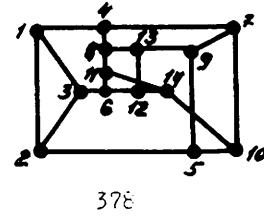
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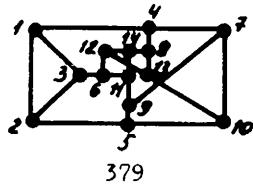
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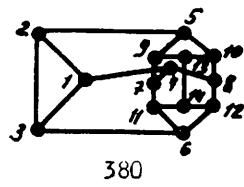
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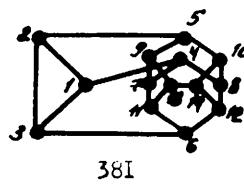
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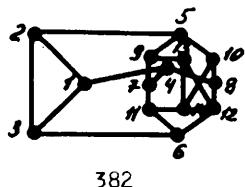
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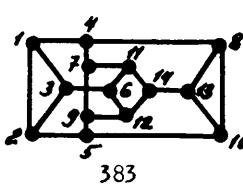
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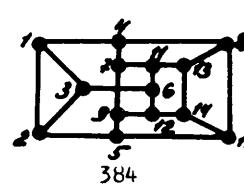
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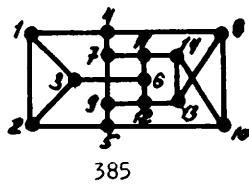
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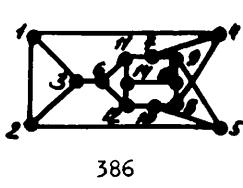
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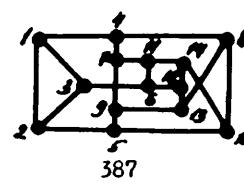
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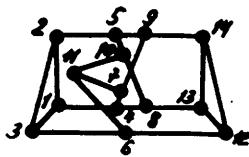
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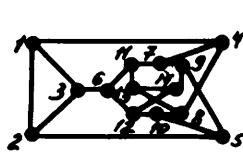
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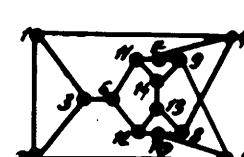
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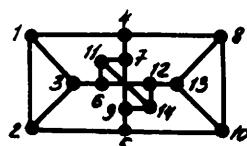
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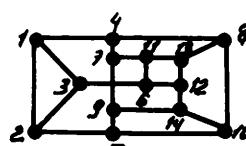
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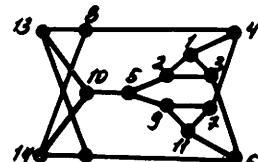
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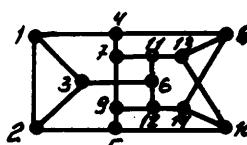
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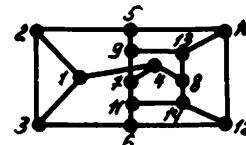
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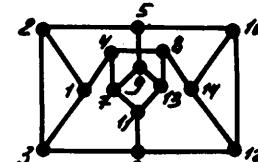
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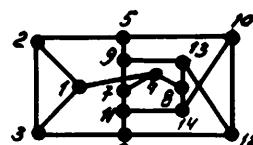
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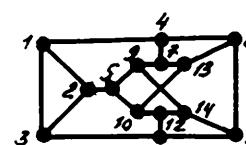
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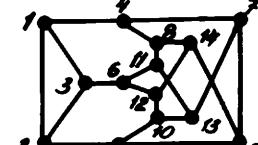
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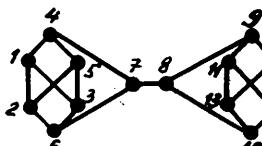
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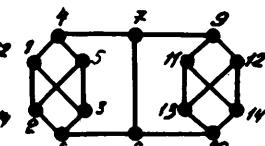
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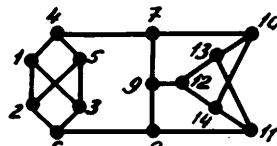
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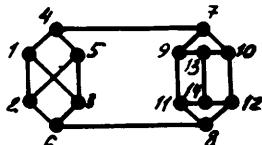
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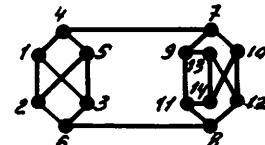
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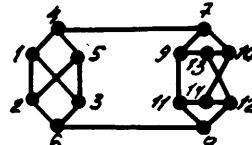
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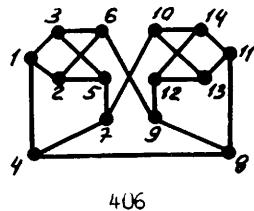
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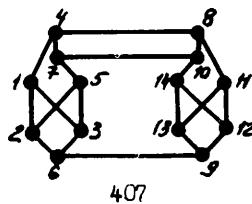
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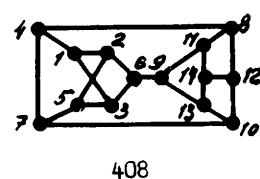
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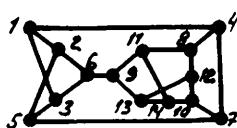
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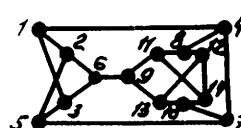
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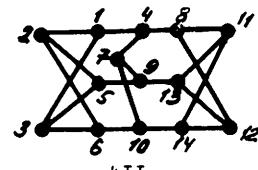
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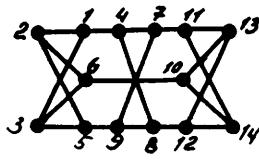
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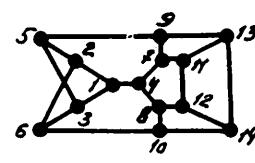
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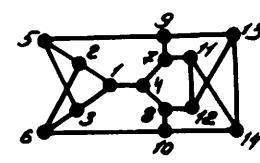
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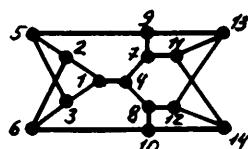
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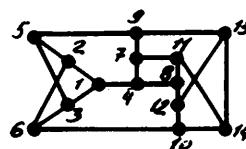
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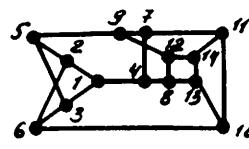
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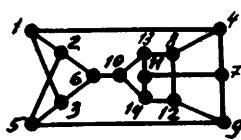
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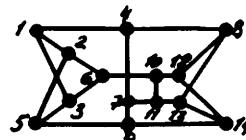
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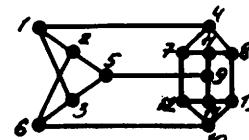
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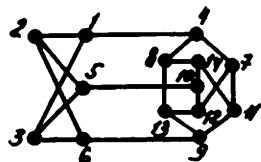
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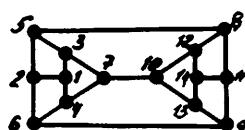
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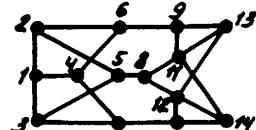
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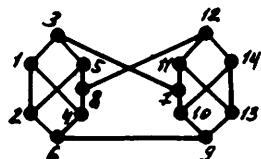
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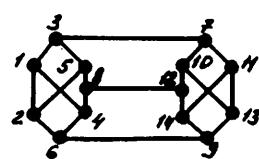
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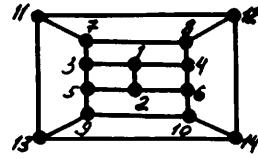
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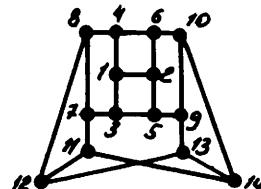
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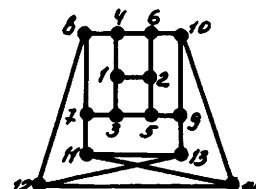
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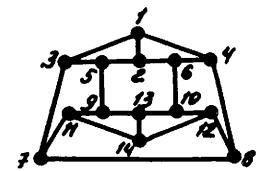
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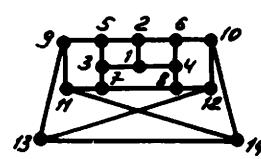
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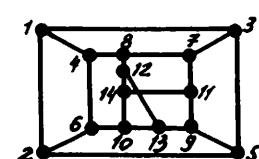
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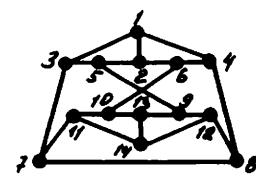
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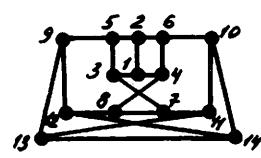
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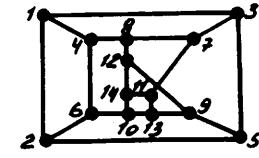
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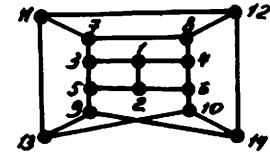
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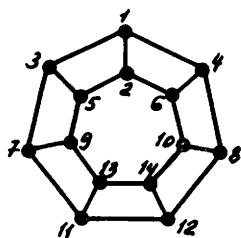


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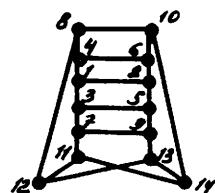


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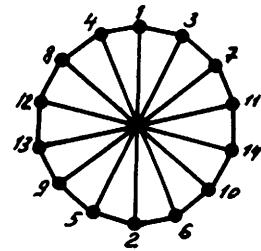
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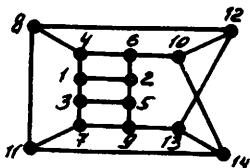
436. Призма



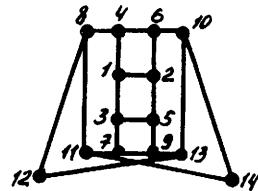
437



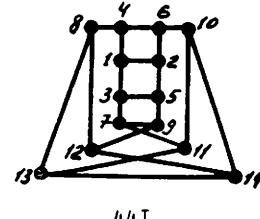
438. Лестница Мебиуса



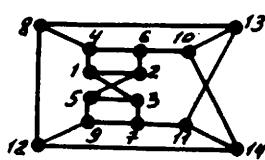
439



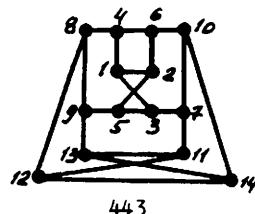
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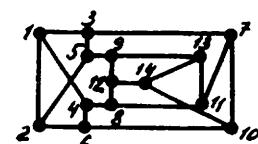
441



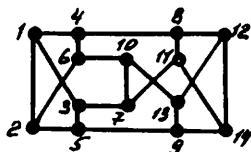
442



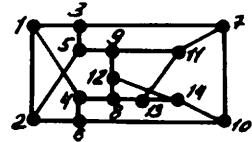
443



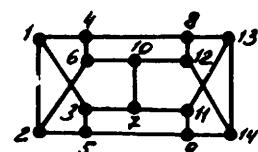
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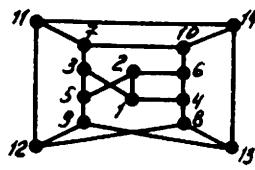
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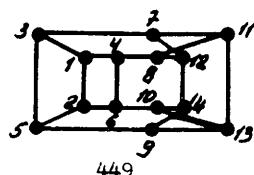
446



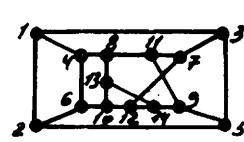
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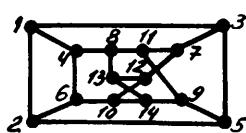
448



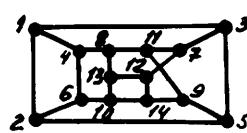
449



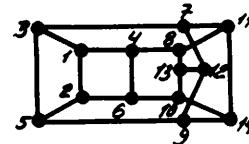
450



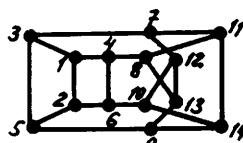
451



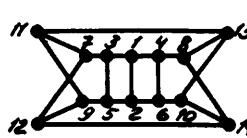
452



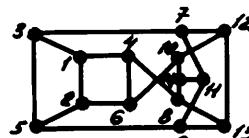
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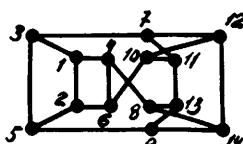
454



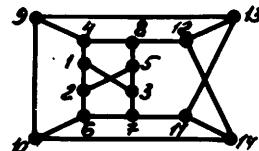
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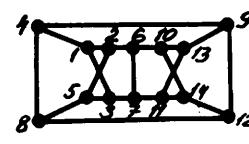
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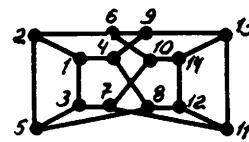
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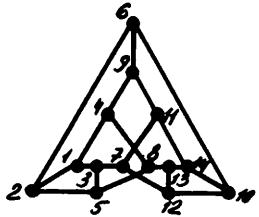
458



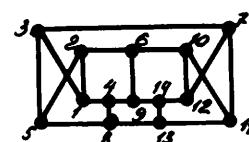
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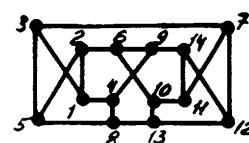
460



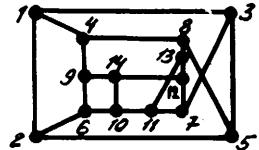
461



462



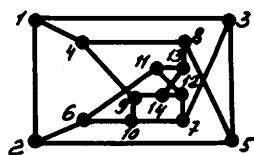
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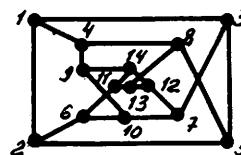
464



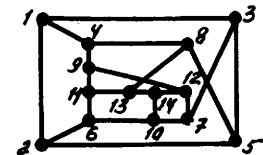
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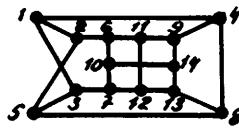
466



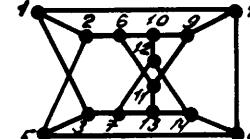
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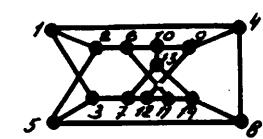
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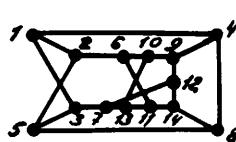
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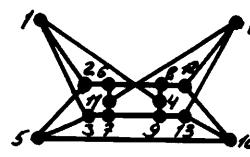
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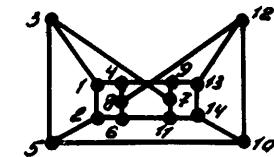
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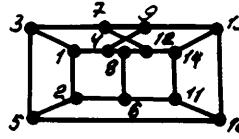
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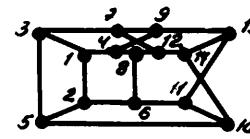
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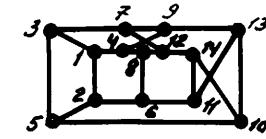
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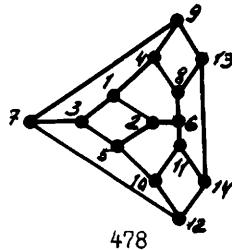
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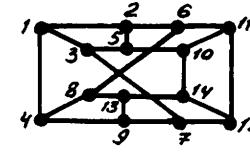
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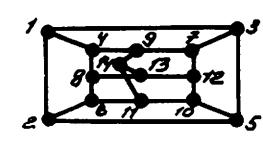
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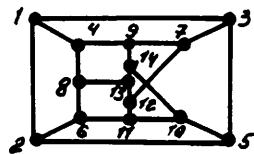
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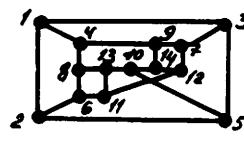
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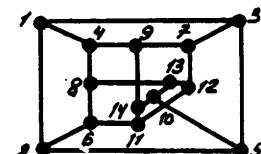
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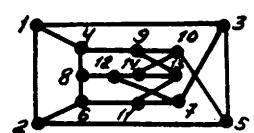
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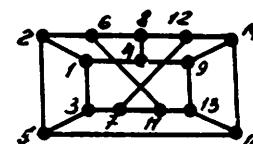
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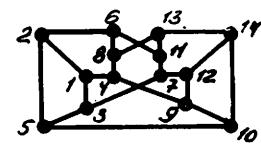
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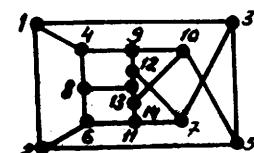
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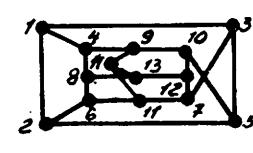
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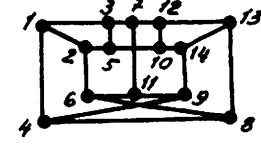
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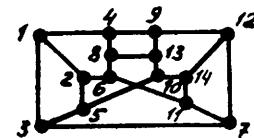
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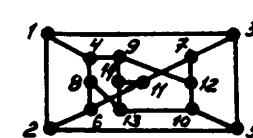
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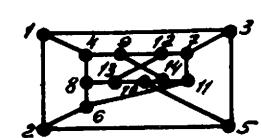
489



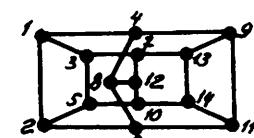
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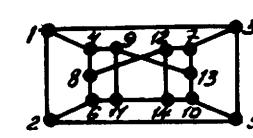
491



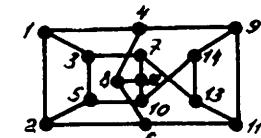
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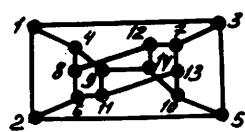
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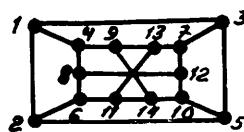
494



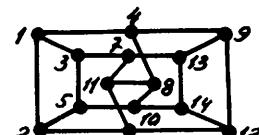
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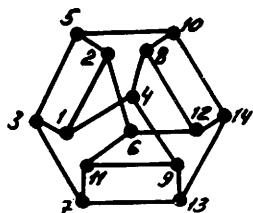
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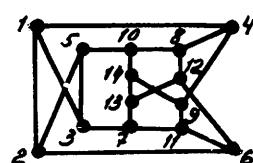
497



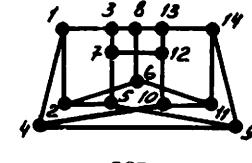
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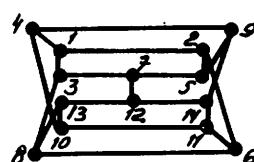
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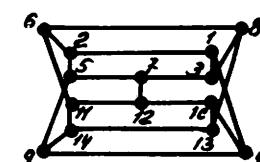
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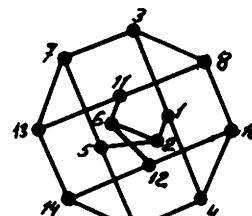
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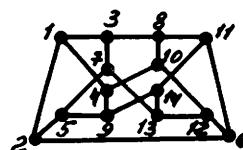
502



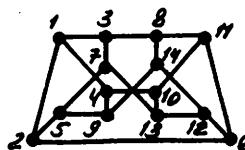
503



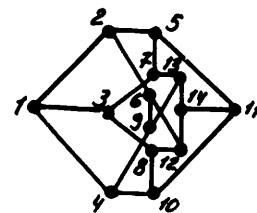
504



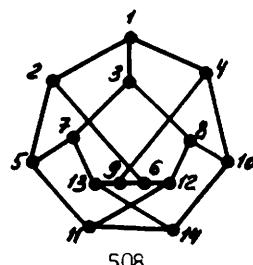
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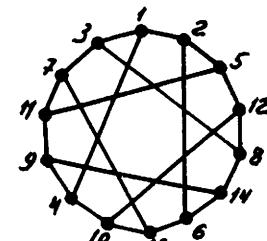
506



507



508



509. Граф Хивуда.